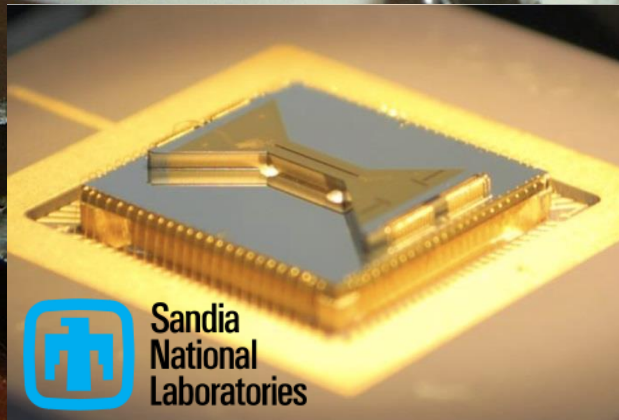
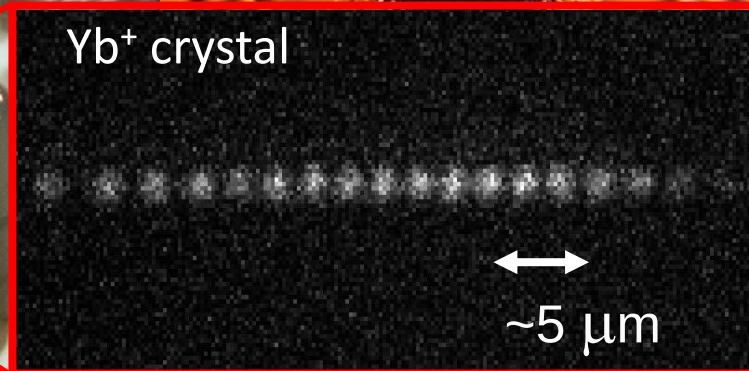
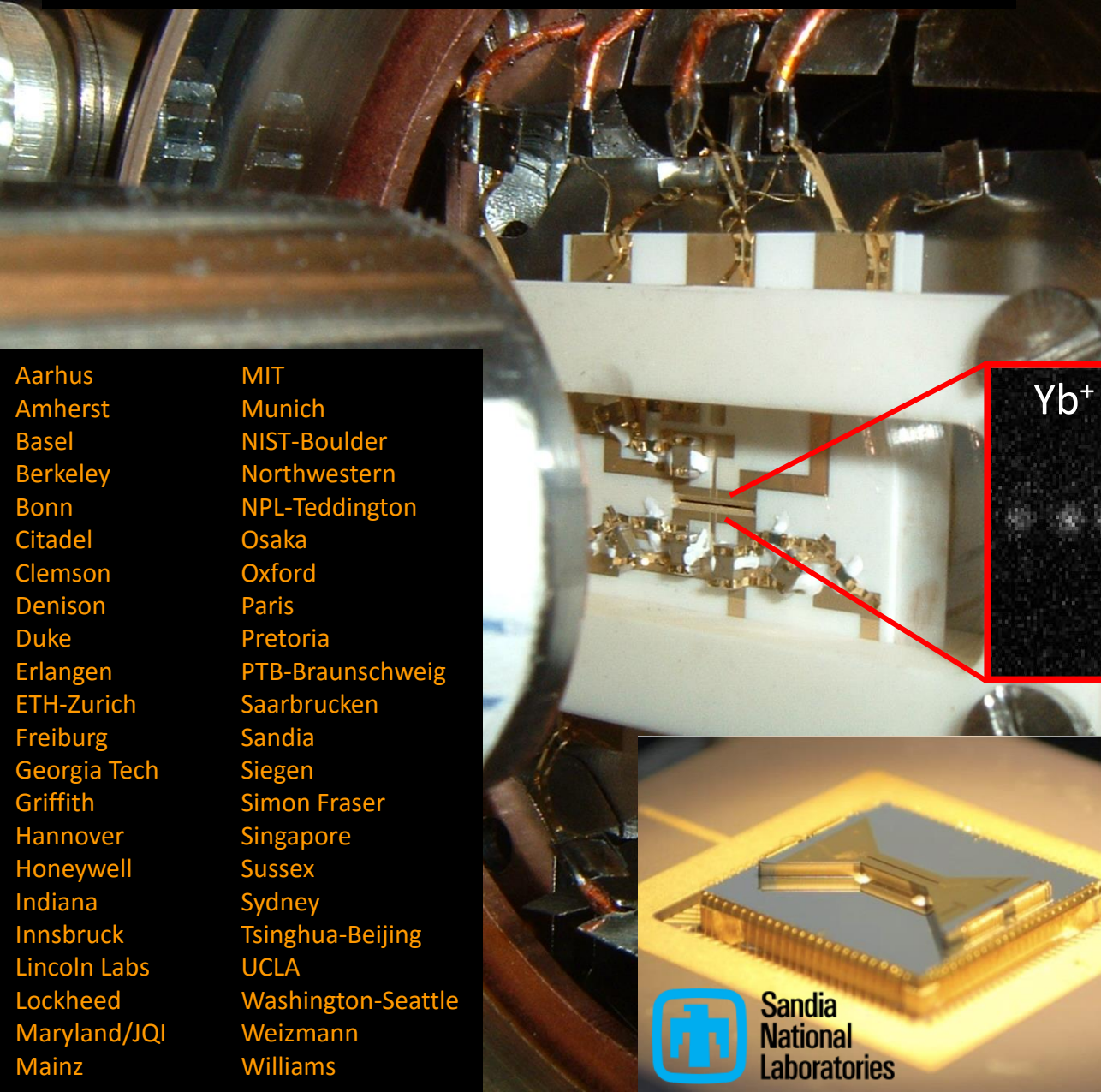
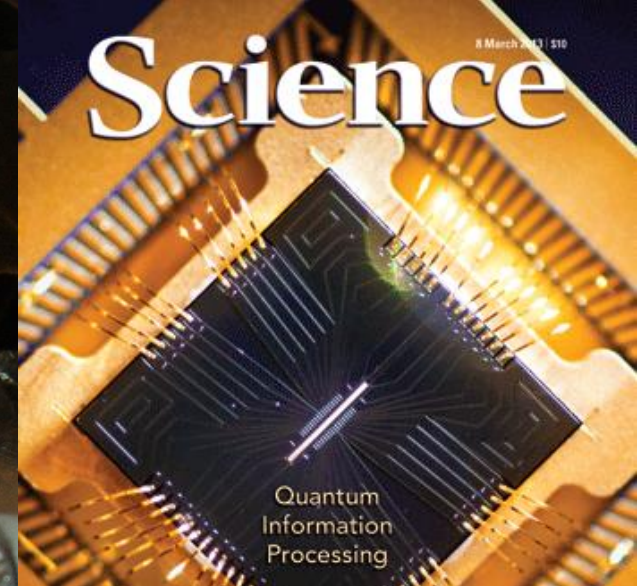


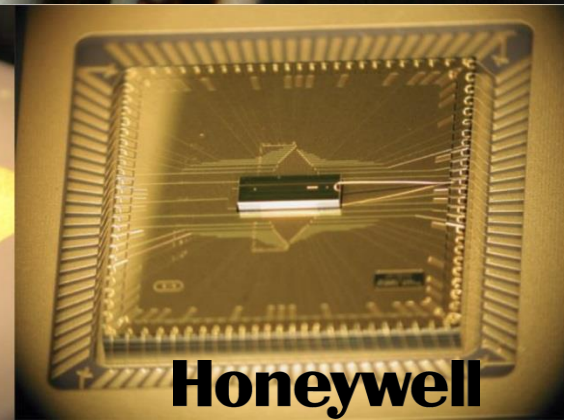
Quantum Gates and Quantum Simulations with Atoms

Christopher
Monroe

Trapped Atomic Ions

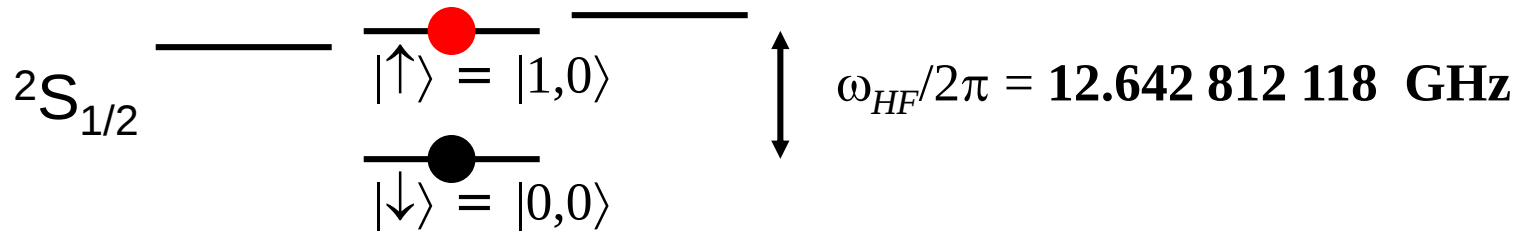


Sandia
National
Laboratories

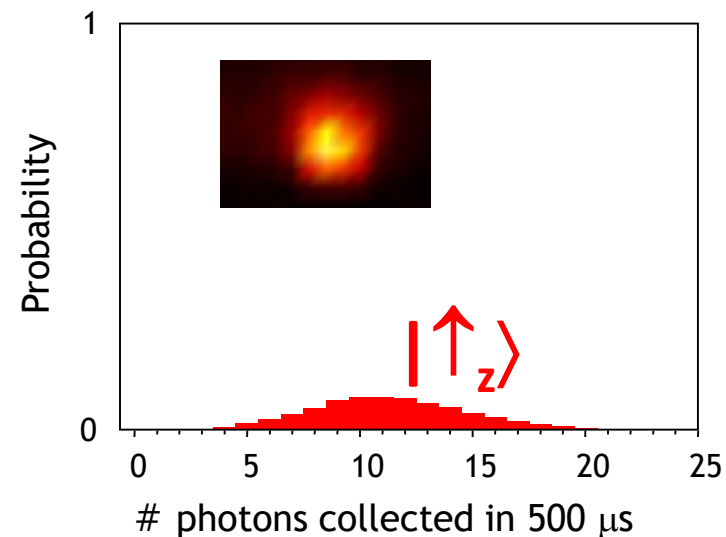
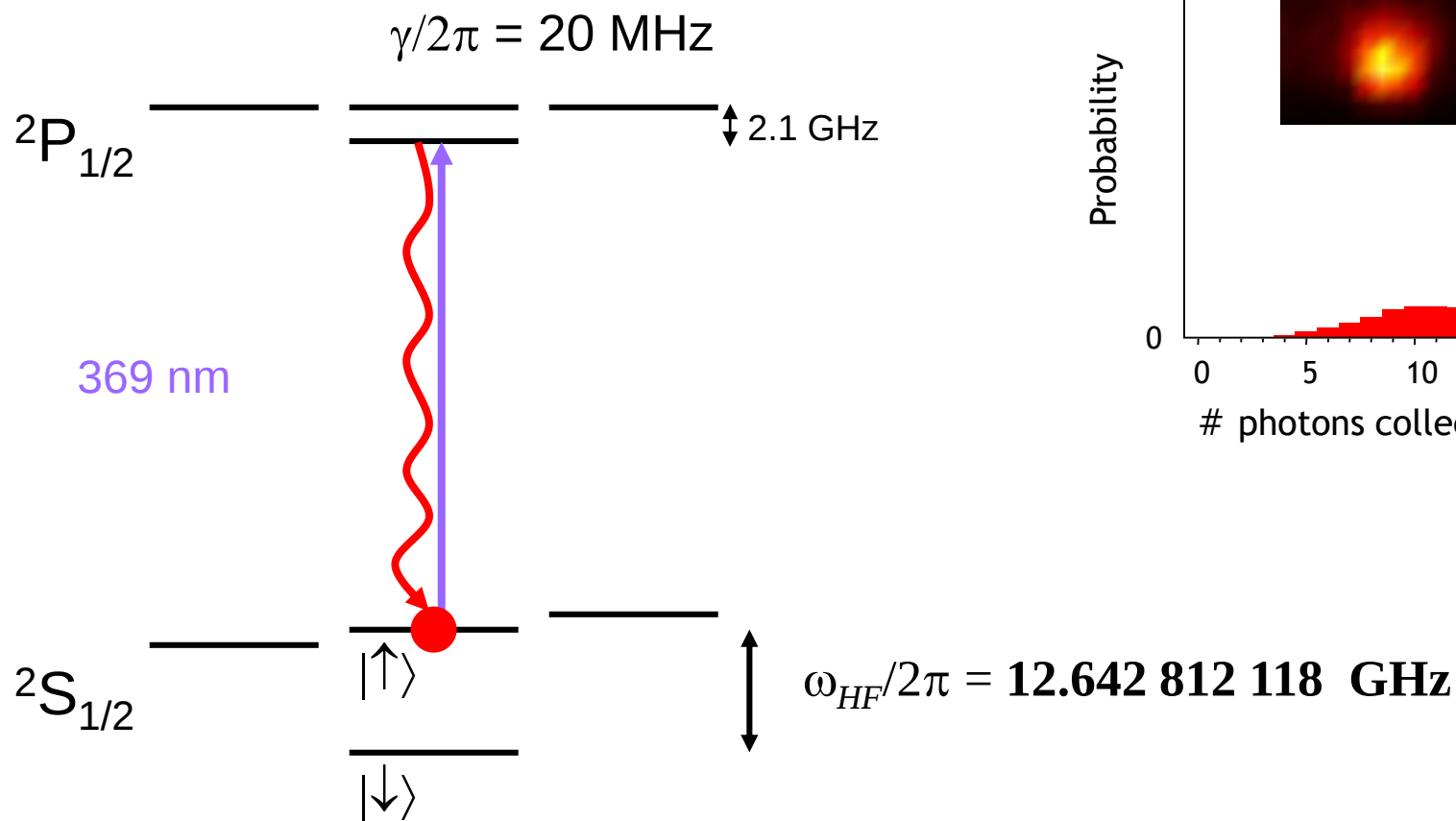


Aarhus	MIT
Amherst	Munich
Basel	NIST-Boulder
Berkeley	Northwestern
Bonn	NPL-Teddington
Citadel	Osaka
Clemson	Oxford
Denison	Paris
Duke	Pretoria
Erlangen	PTB-Braunschweig
ETH-Zurich	Saarbrücken
Freiburg	Sandia
Georgia Tech	Siegen
Griffith	Simon Fraser
Hannover	Singapore
Honeywell	Sussex
Indiana	Sydney
Innsbruck	Tsinghua-Beijing
Lincoln Labs	UCLA
Lockheed	Washington-Seattle
Maryland/JQI	Weizmann
Mainz	Williams

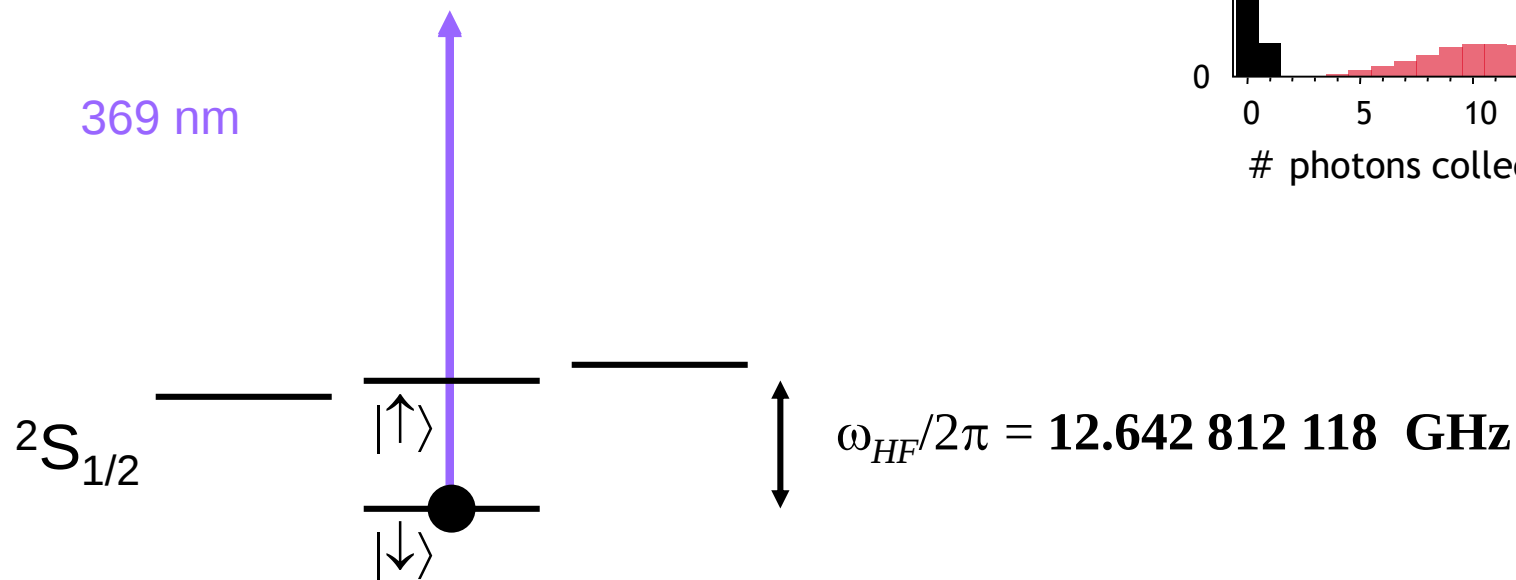
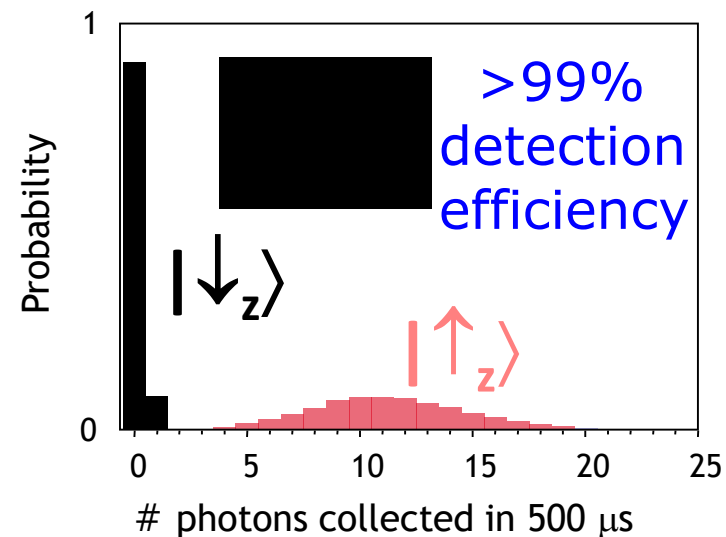
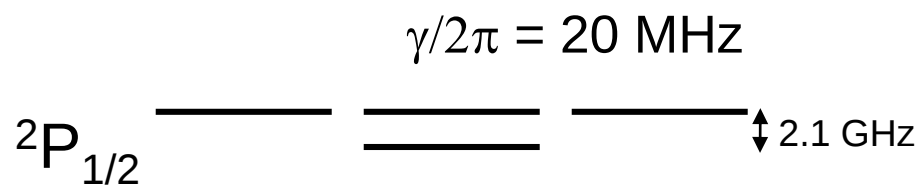
Atomic Qubit ($^{171}\text{Yb}^+$)



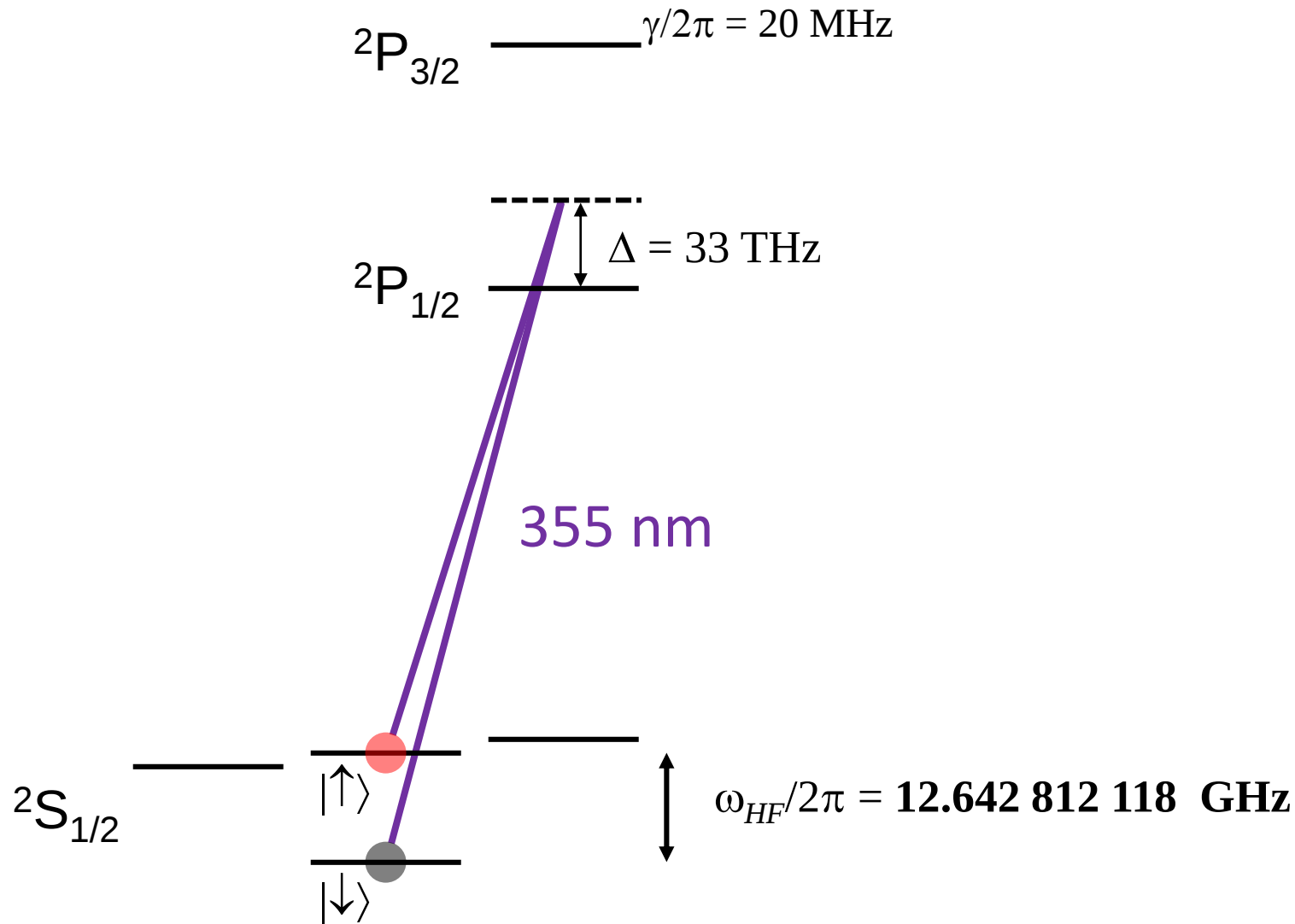
Atomic Qubit Detection



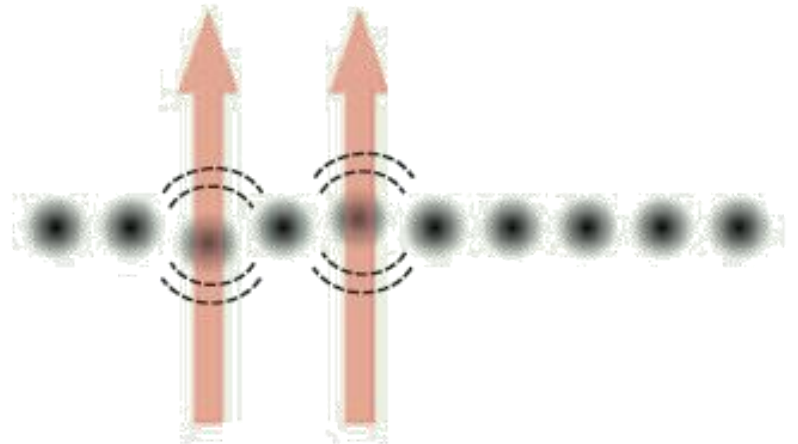
Atomic Qubit Detection



Atomic Qubit Manipulation



Quantum Gates



Entangling Trapped Ion Qubits



“dipole-dipole coupling”

$$\Delta E = \frac{e^2}{\sqrt{r^2 + \delta^2}} - \frac{e^2}{r} \approx -\frac{(e\delta)^2}{2r^3}$$

$\delta \sim 10 \text{ nm}$
 $e\delta \sim 500 \text{ Debye}$

$$\begin{aligned} |\downarrow\downarrow\rangle &\rightarrow |\downarrow\downarrow\rangle \\ |\downarrow\uparrow\rangle &\rightarrow e^{-i\varphi} |\downarrow\uparrow\rangle \\ |\uparrow\downarrow\rangle &\rightarrow e^{-i\varphi} |\uparrow\downarrow\rangle \\ |\uparrow\uparrow\rangle &\rightarrow |\uparrow\uparrow\rangle \end{aligned}$$

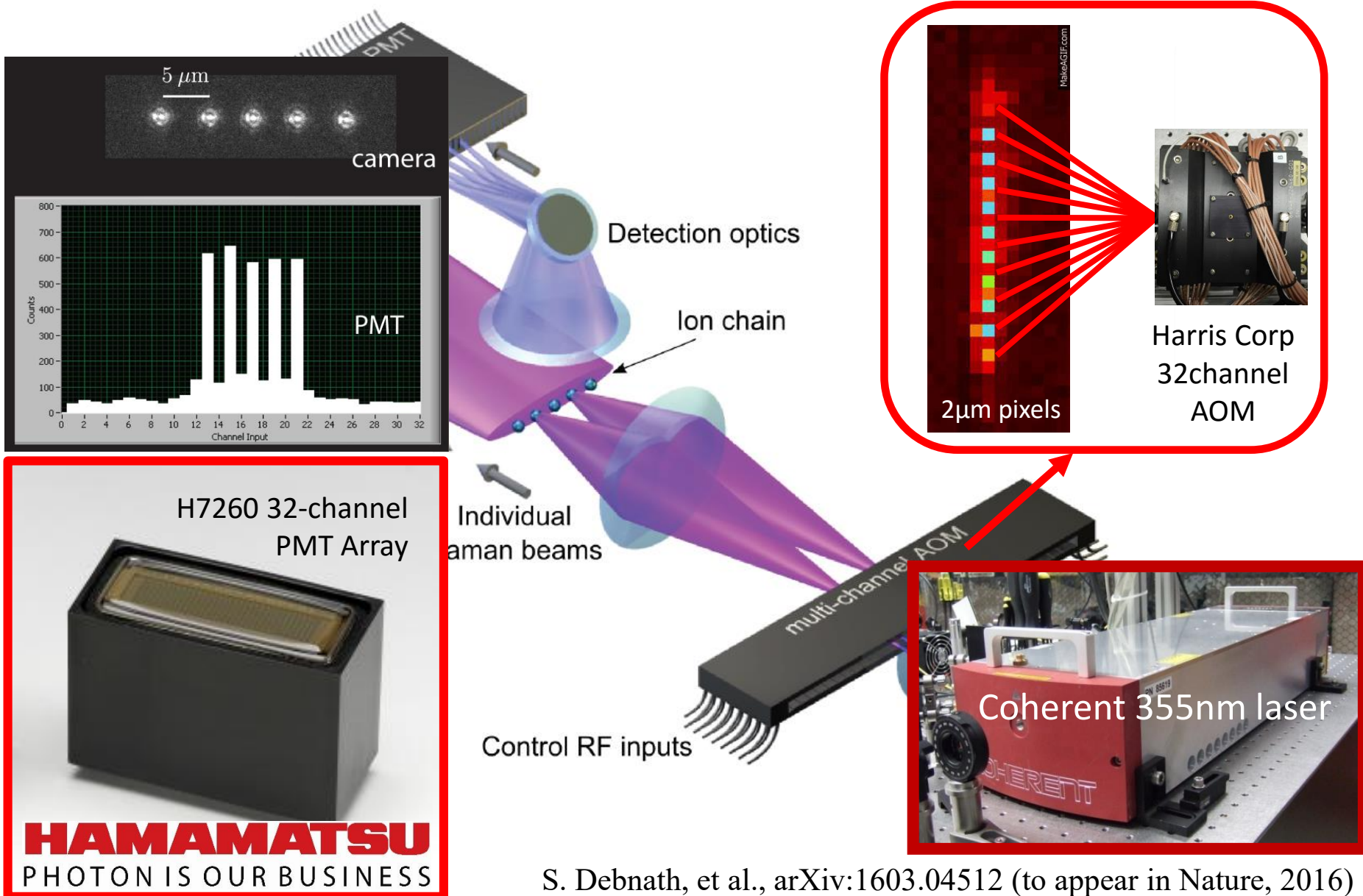
$$\longrightarrow \varphi = \frac{\Delta E t}{\hbar} = \frac{e^2 \delta^2 t}{2\hbar r^3} = \frac{\pi}{2} \quad \text{for full entanglement}$$

Cirac and Zoller (1995)
 Mølmer & Sørensen (1999)
 Solano, de Matos Filho, Zagury (1999)
 Milburn, Schneider, James (2000)

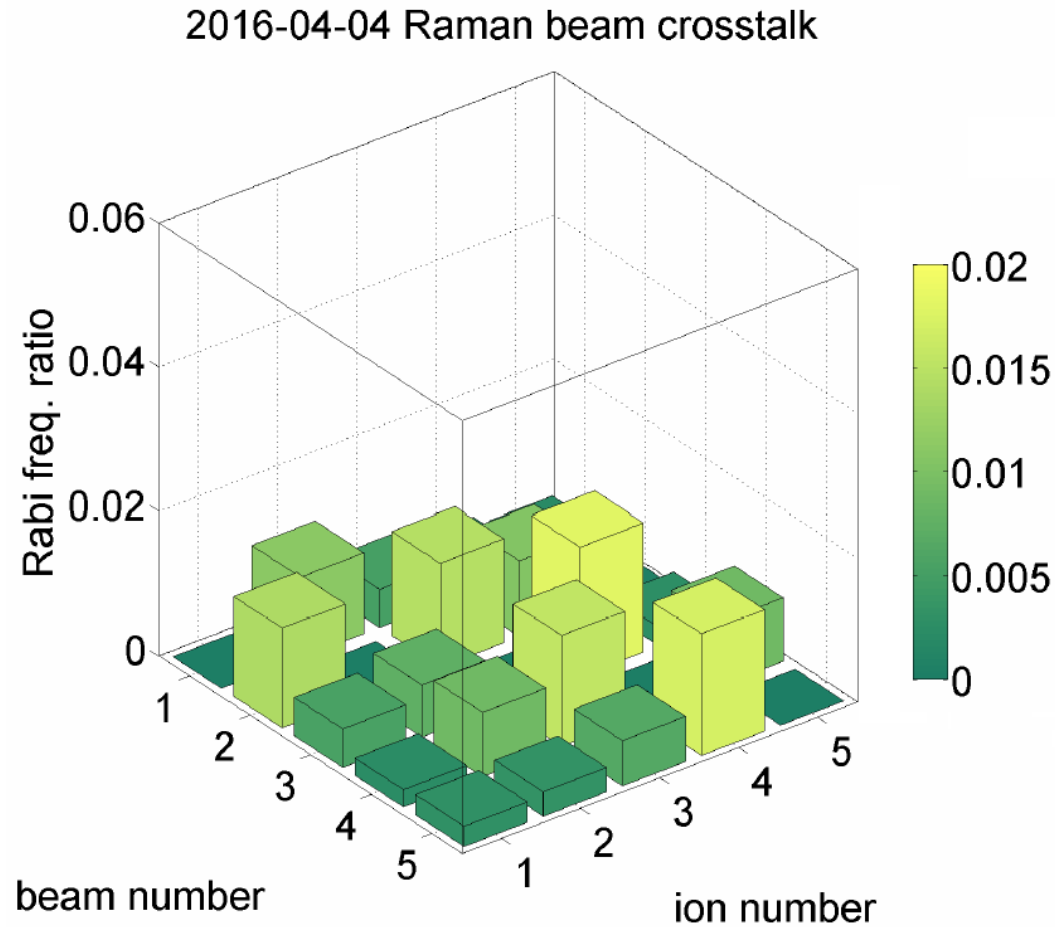
Programmable Quantum Computer Module (5 qubits)

User	Quantum Algorithms: <i>Deutsch-Jozsa, QFT, etc.</i>
Quantum compiler	Universal gates: <i>Hadamard, C-NOT, C-Phase, etc.</i> Native gates: <i>XX-Gates, R-gates</i>
Quantum control	Pulse shaping: <i>Optimization of XX- and R-Gates</i>
Hardware	Optical addressing: <i>Qubit manipulation/ detection</i> Ion trap: <i>Linear ion-chain, optical access, etc.</i>

Programmable Quantum Computer... Physical Layer

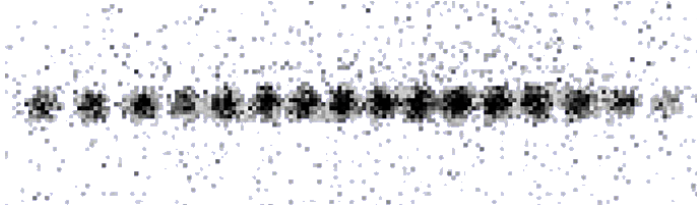


Addressing crosstalk measurements ($\sim 1\%$ nearest-neighbor)



Many ions: phonon modes

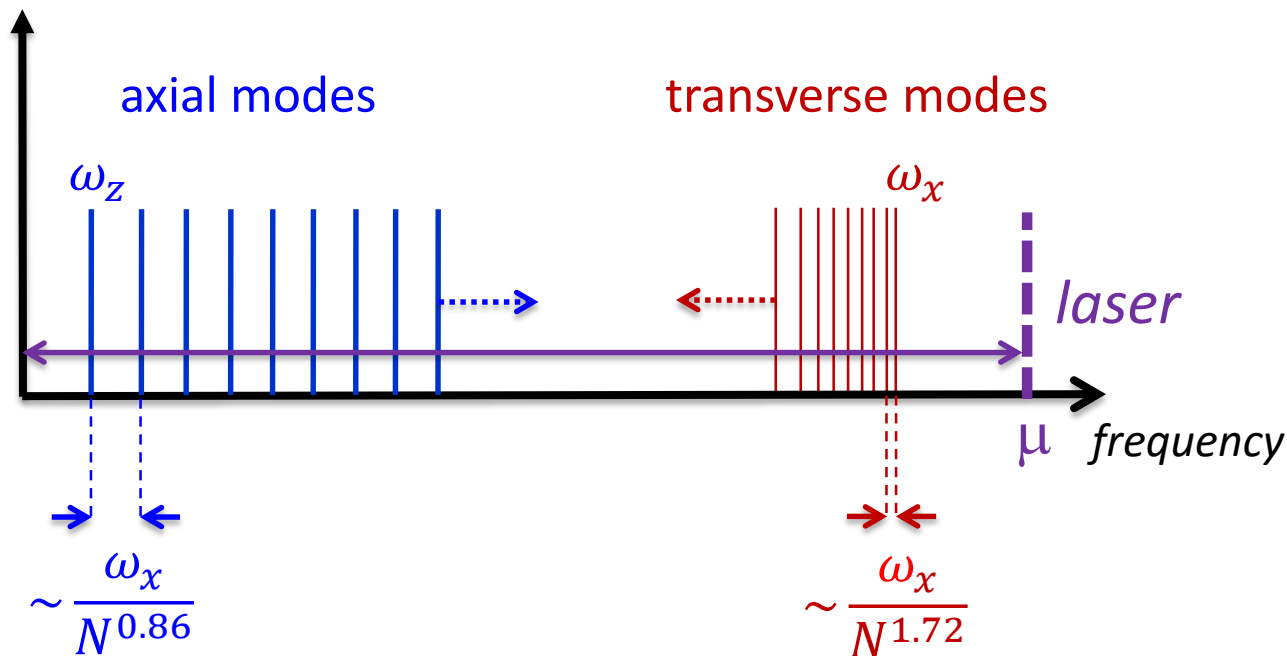
N ions in a line



transverse trap frequency $\omega_x = \text{high as you can go}$

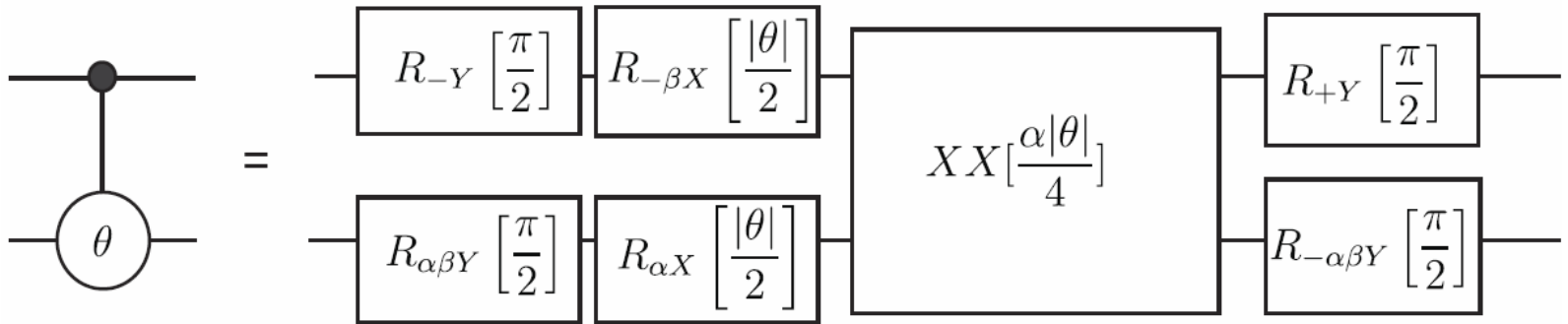
axial trap frequency $\omega_z < \frac{\omega_x}{N^{0.86}}$

J. P. Schiffer, Phys. Rev. Lett. 70, 818 (1993)



Ising XX gate:
pulse-shape laser
to decouple all
modes of motion

Controlled-Phase Gate



$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & e^{i\beta|\theta|} \end{bmatrix}$$

$$\alpha = \text{sign}(J_{ij}) \quad \leftarrow \begin{array}{l} \pm \text{ phase of} \\ \text{Ising coupling} \end{array}$$

$$\beta = \text{sign}(\theta)$$

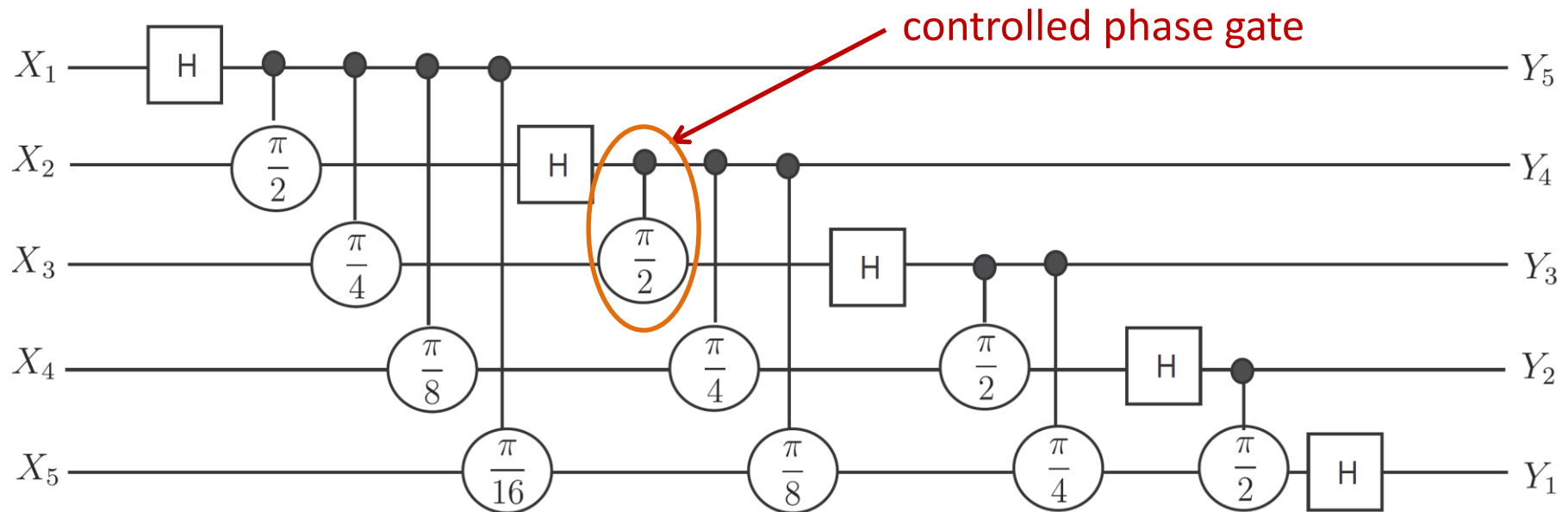
Quantum Fourier Transform (QFT)

$$y_k = \frac{1}{\sqrt{N}} \sum_{j=0}^{N-1} e^{2\pi i \frac{jk}{N}} x_j \quad N = 2^n$$

output amplitudes y_k

input amplitudes x_j

QFT circuit ($n=5$ qubits)

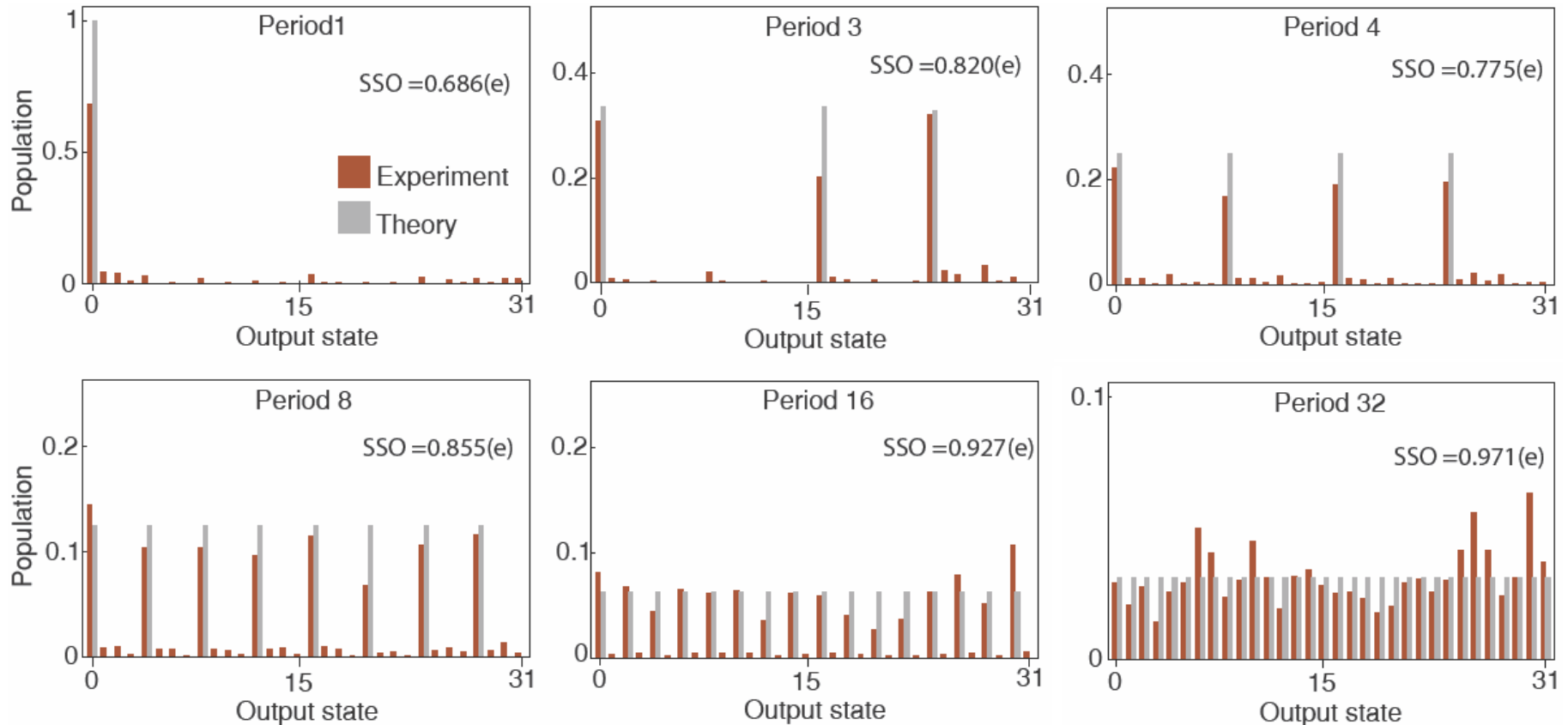


QFT: Period Finding

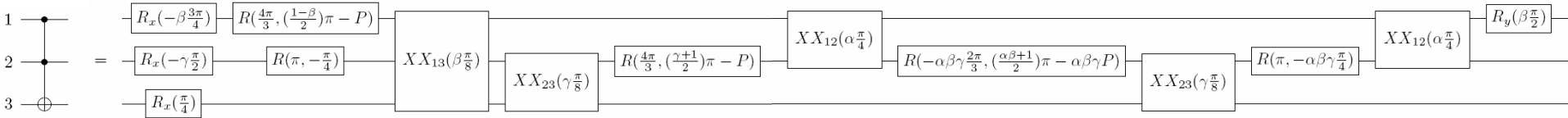
state preparation

e.g. state with **period 8** = $\underbrace{|00111\rangle}_7 + \underbrace{|01111\rangle}_{15} + \underbrace{|10111\rangle}_{23} + \underbrace{|11111\rangle}_{31} = (|0\rangle + |1\rangle)(|0\rangle + |1\rangle)\overbrace{|111\rangle}^8$

results

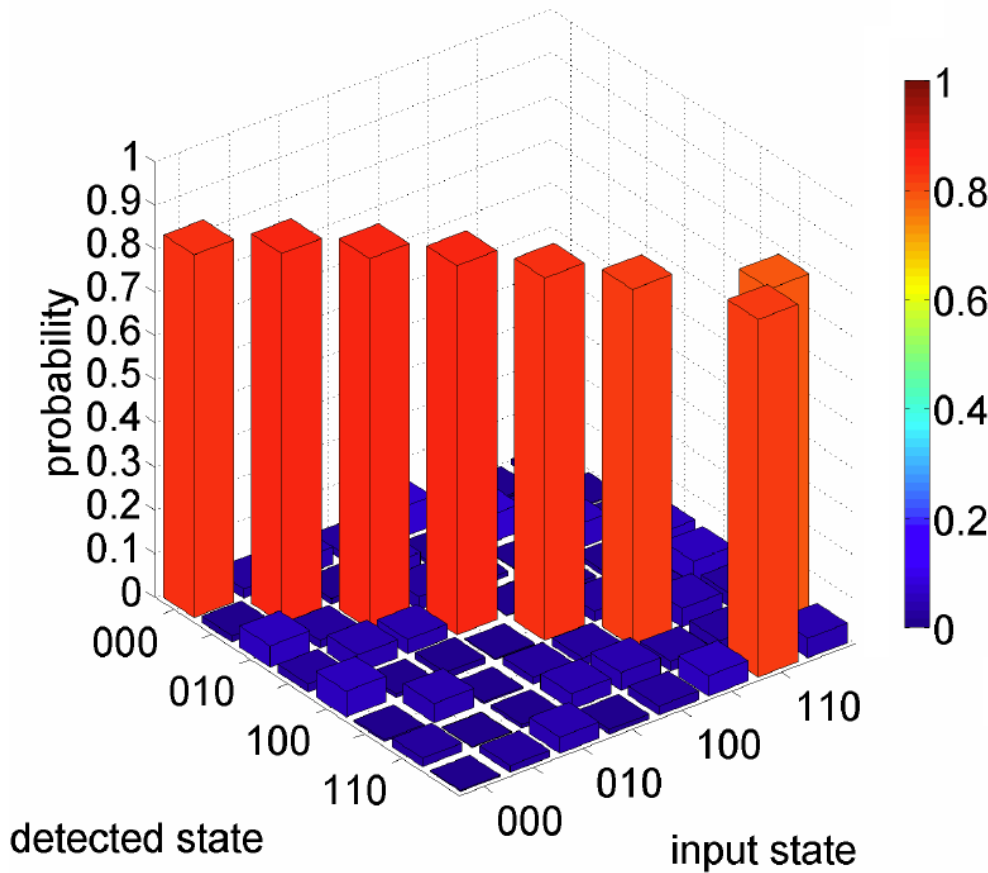


Toffoli gate



$$\alpha = \text{sgn}(\chi_{12}), \beta = \text{sgn}(\chi_{13}), \gamma = \text{sgn}(\chi_{23}), \text{ and } P = \arcsin \sqrt{\frac{2}{3}}$$

2016-05-12 Toffoli [1:3-5] sc



fidelity 83%

(excl. spam ~1.4%)

International Journal of Theoretical Physics, Vol. 21, Nos. 6/7, 1982

Quantum mechanical Hamiltonians are a finite number of steps of a quantum circuit on a finite lattice of spin-1/2 particles. To different components of the wave function, we assign different states of any machine configuration states. Both models are constructed to preserve energy or degrade the system to the quantum limit in that the evolution is close to the limit given by the Schrödinger equation. Model evolution is time-dependent models do not conserve energy and the Hamiltonian is local.

Simulating Physics with Computers

Richard P. Feynman

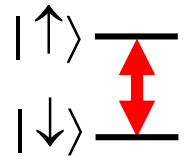
Department of Physics, California Institute of Technology, Pasadena, California 91107

weak/slow global spin-dependent force

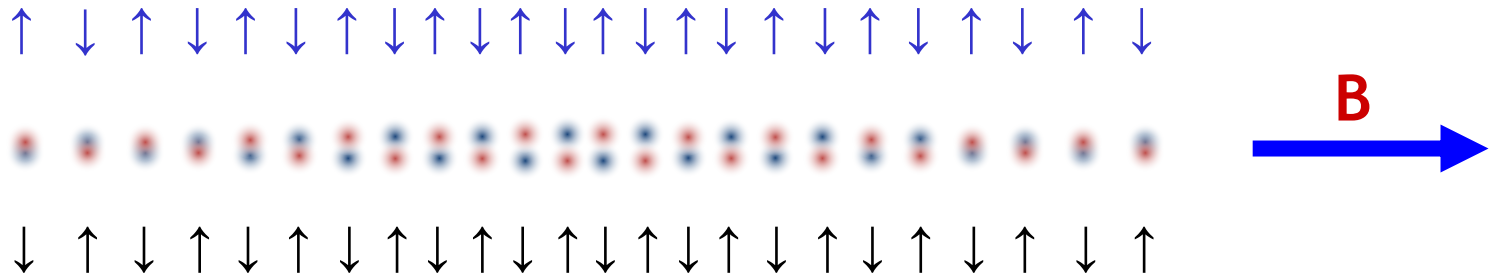
.....

$$\mathbf{F} = F_0 |\uparrow\rangle\langle\uparrow| - F_0 |\downarrow\rangle\langle\downarrow|$$

global spin-dependent force

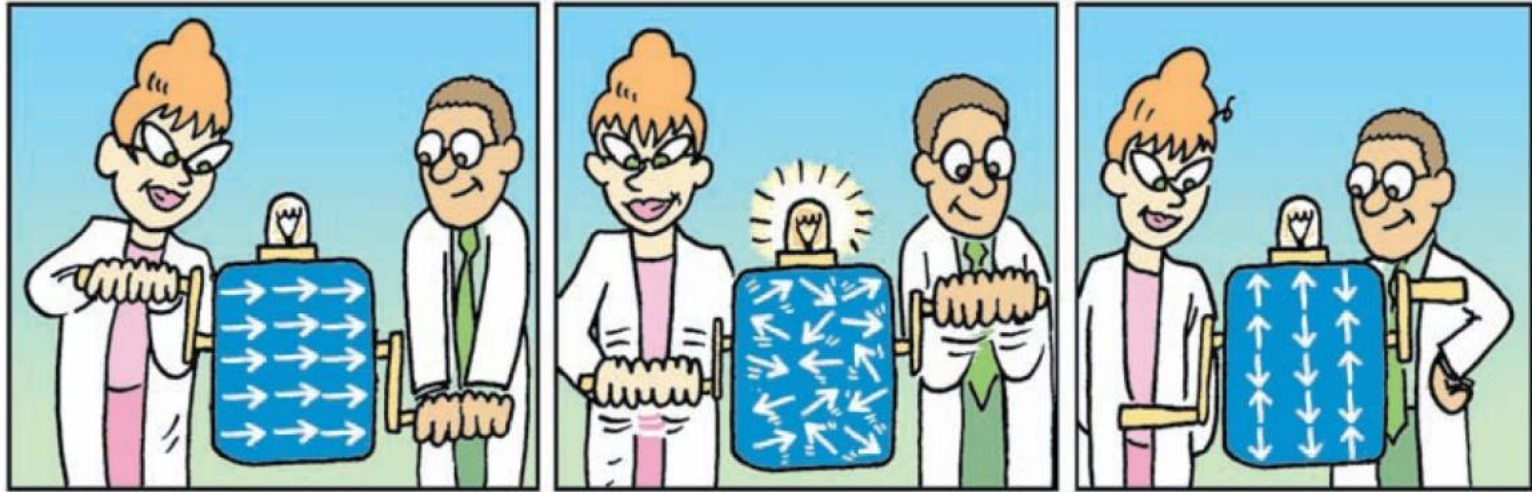


ADD: Independent spin flips



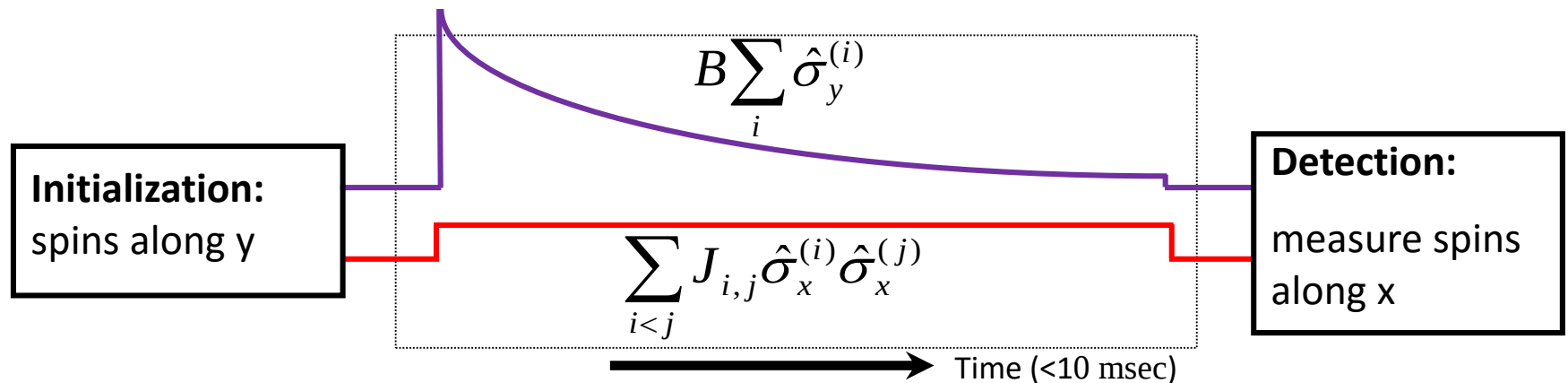
$$F = F_0 |\uparrow\rangle\langle\uparrow| - F_0 |\downarrow\rangle\langle\downarrow|$$

Adiabatic Quantum Simulation



from S. Lloyd, Science **319**, 1209 (2008)

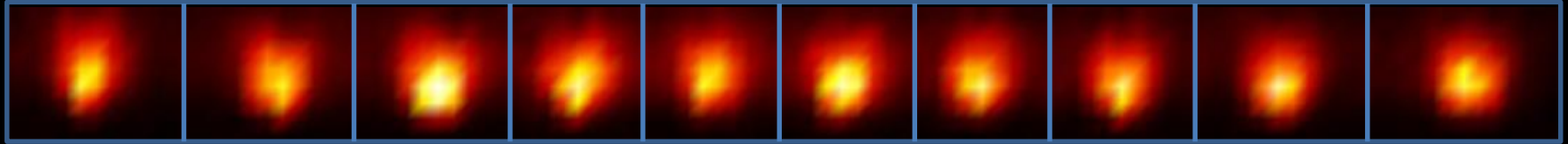
$$H = \sum_{i < j} \frac{J_0}{|i - j|^\alpha} \sigma_x^i \sigma_x^j + B \sum_i \sigma_y^i \quad 0 < \alpha < 3$$



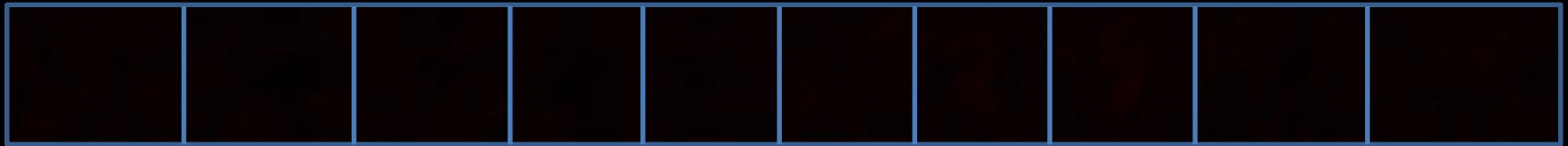
Antiferromagnetic Néel order of N=10 spins

2600 runs, $\alpha=1.12$

All in state $\uparrow$

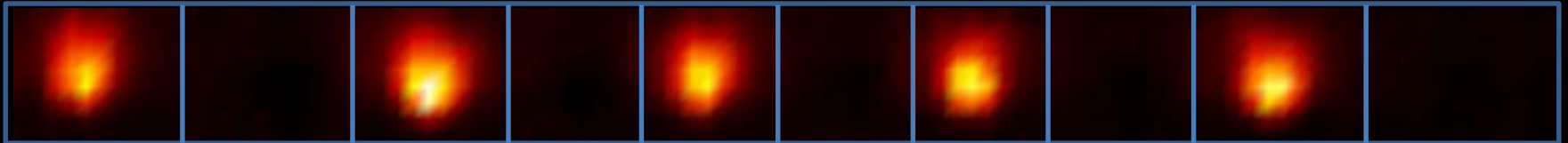


All in state $\downarrow$

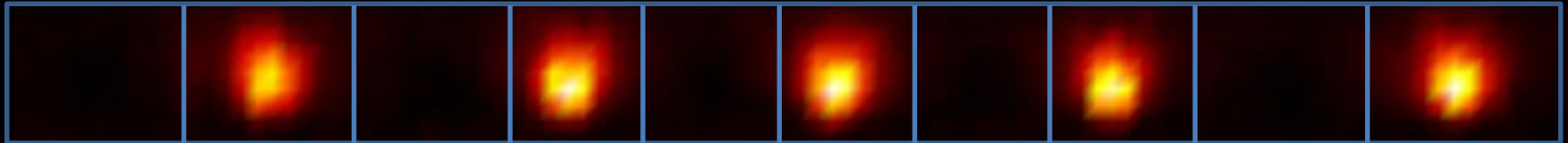


AFM ground state order

222 events



219 events



441 events out of 2600 = 17%

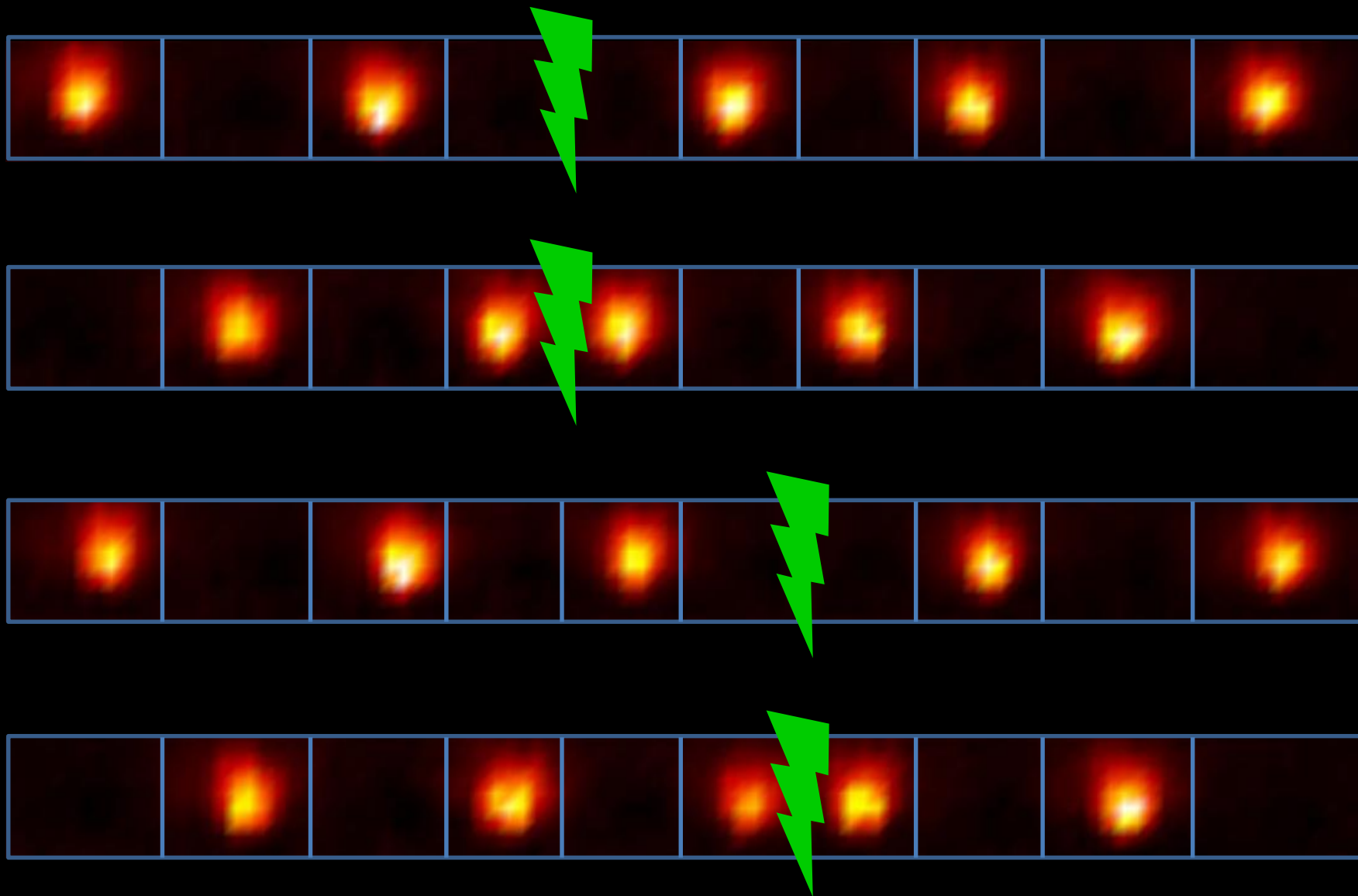
R. Islam et al., Science

Prob of any state at random = $2 \times (1/2^{10}) = 0.2\%$

340, 583 (2013)

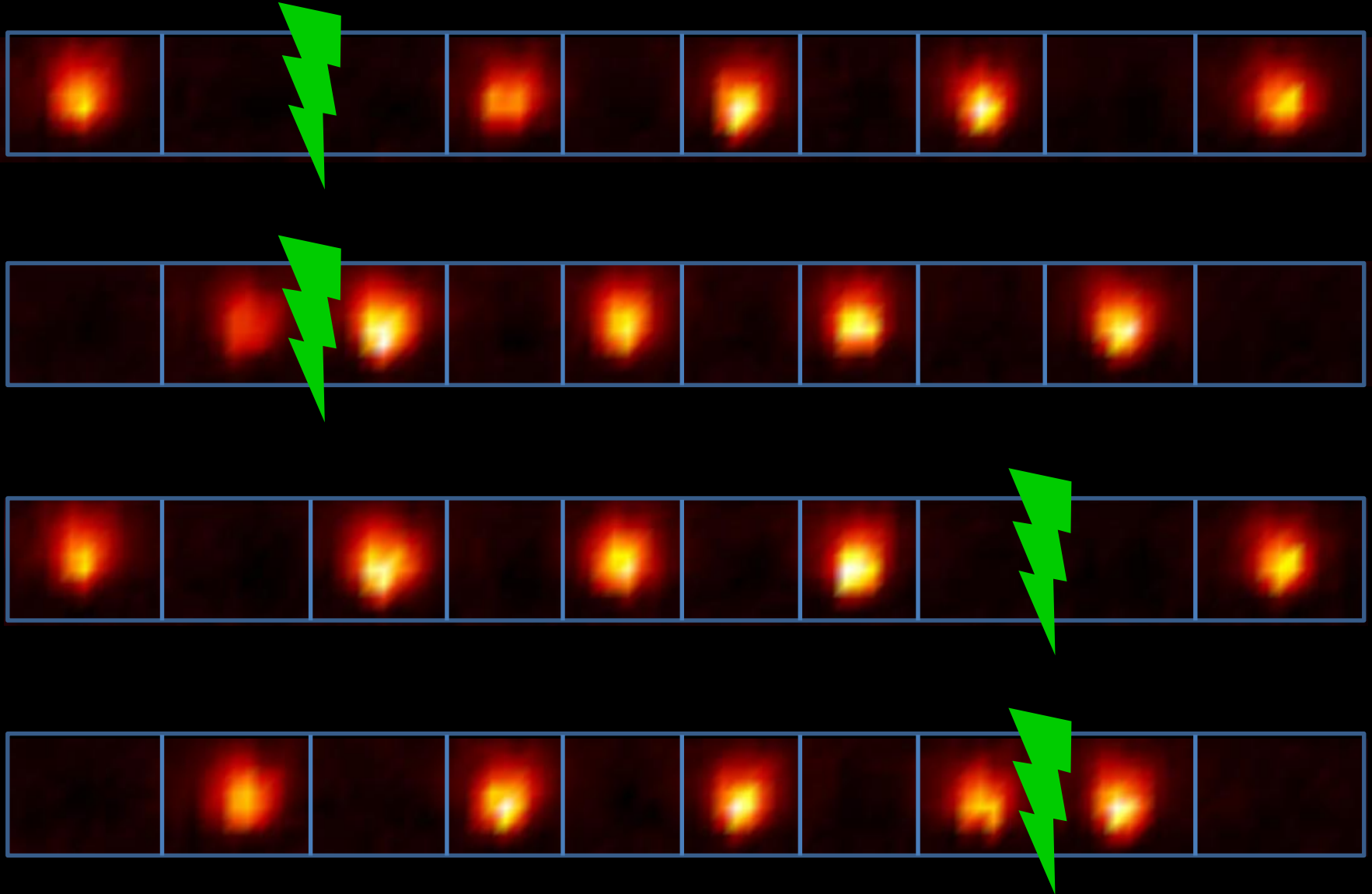
First Excited States

(Pop. $\sim 2\%$ each)

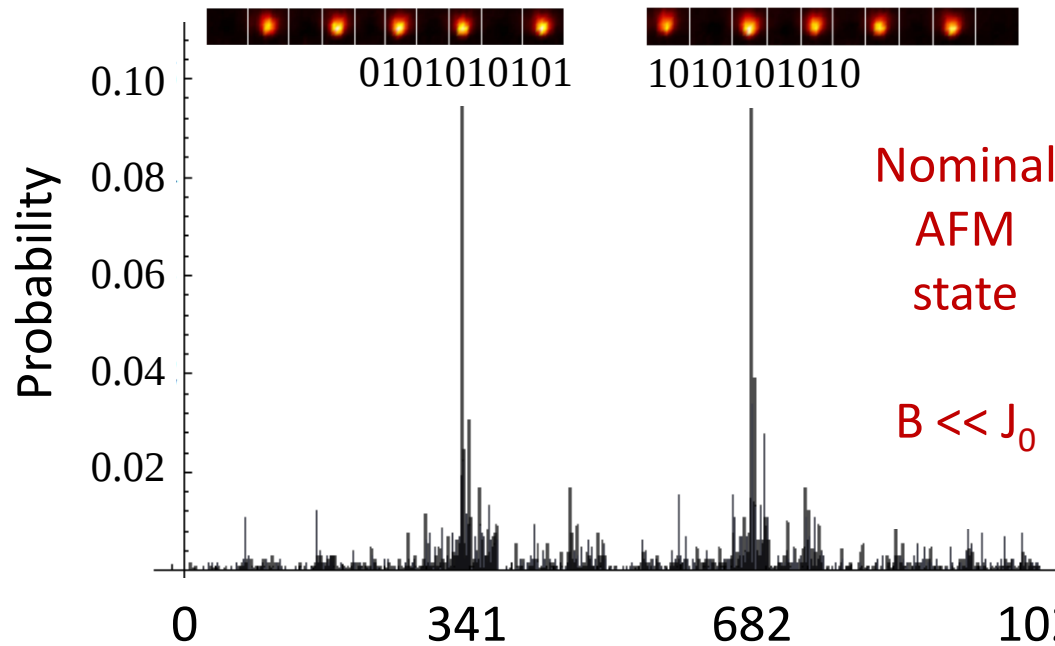
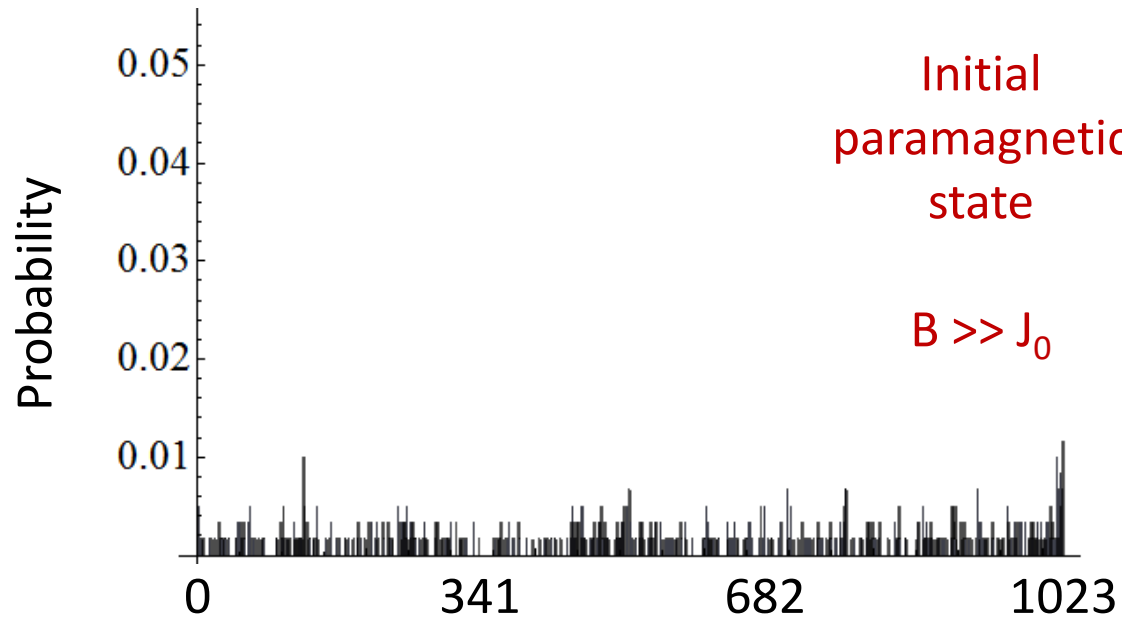


Second Excited States

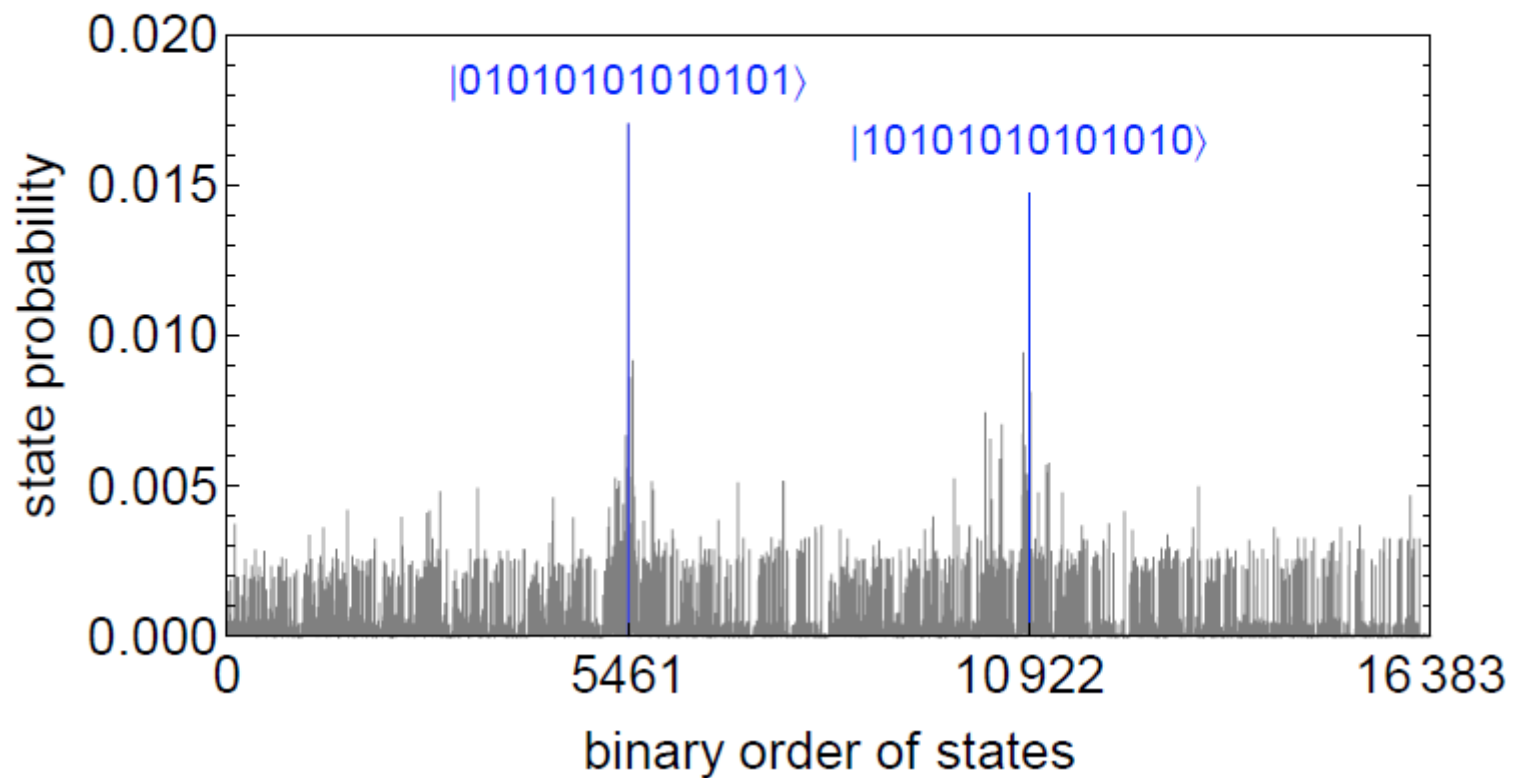
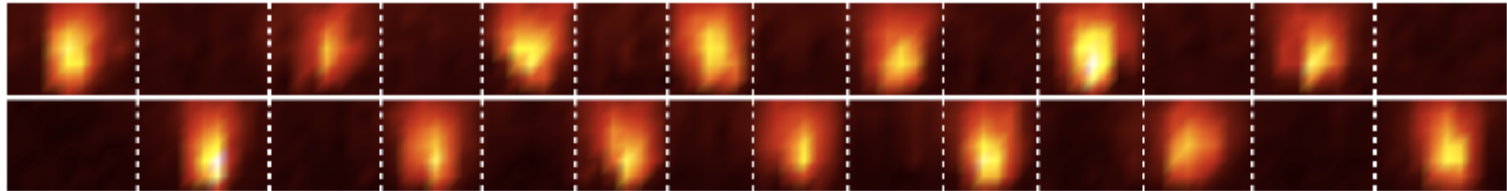
(Pop. $\sim 1\%$ each)



Distribution of all $2^{10} = 1024$ states



AFM order of N=14 spins (16,384 configurations)

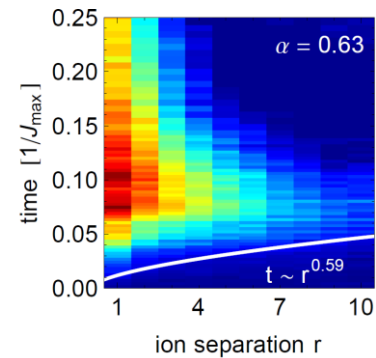


etc...

Propagation of correlations and entanglement with long-range interactions

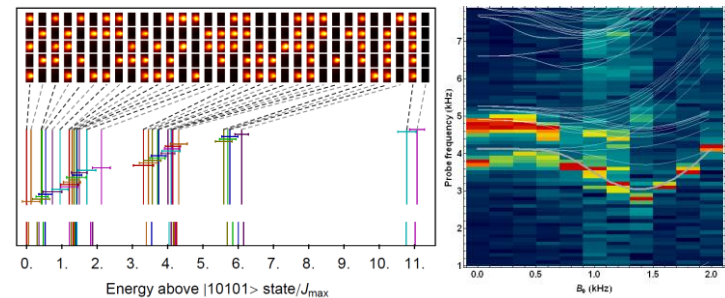
P. Richerme et. al., *Nature* **511**, 198 (2014)

P. Jurcevic et al., *Nature* **511**, 202 (2014)



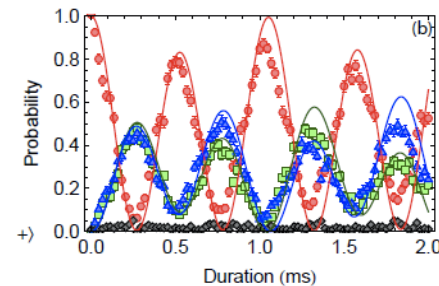
Many-Body Spectroscopy

C. Senko et. al., *Science* **345**, 430 (2014)



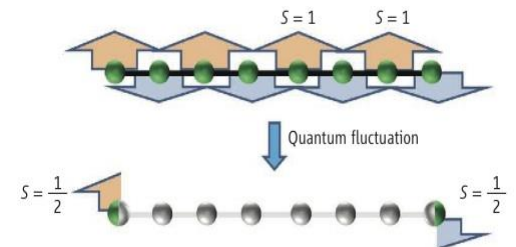
Spin-1 Dynamics

C. Senko, et al., *Phys. Rev. X* **5**, 021026 (2015)



Many-body Localization

J. Smith, et al., arXiv 1508.07026 (2015)



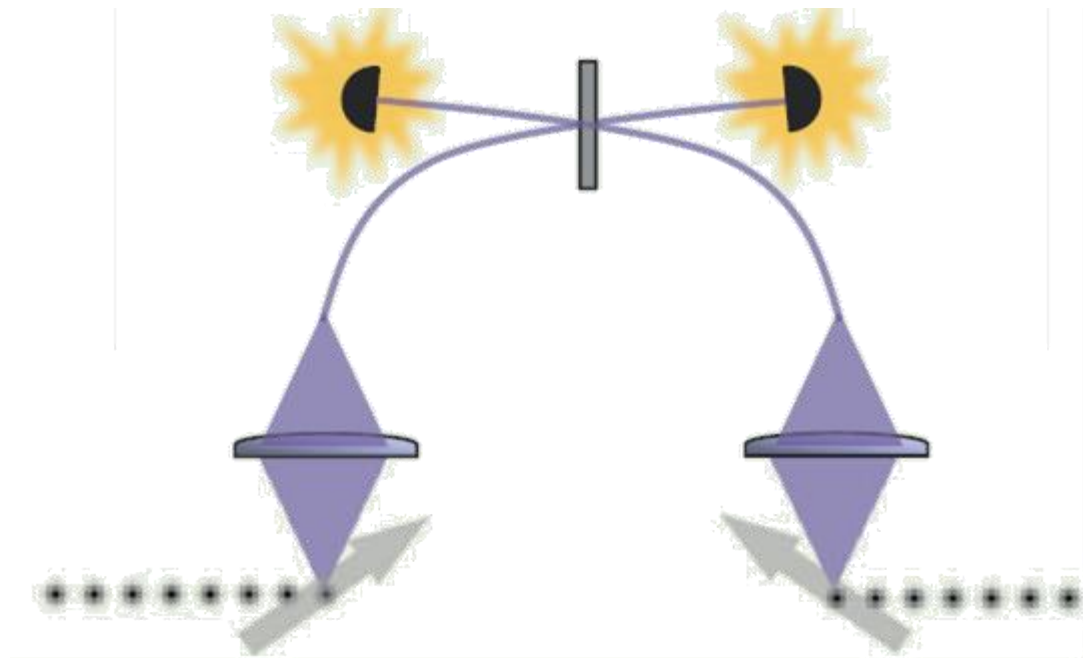
Dynamics of N=22 spins

$$H_{XY} = \sum_{i < j} \frac{J_0}{|i - j|^\alpha} (\sigma_x^i \sigma_x^j + \sigma_y^i \sigma_y^j) \quad \alpha = 0.6$$

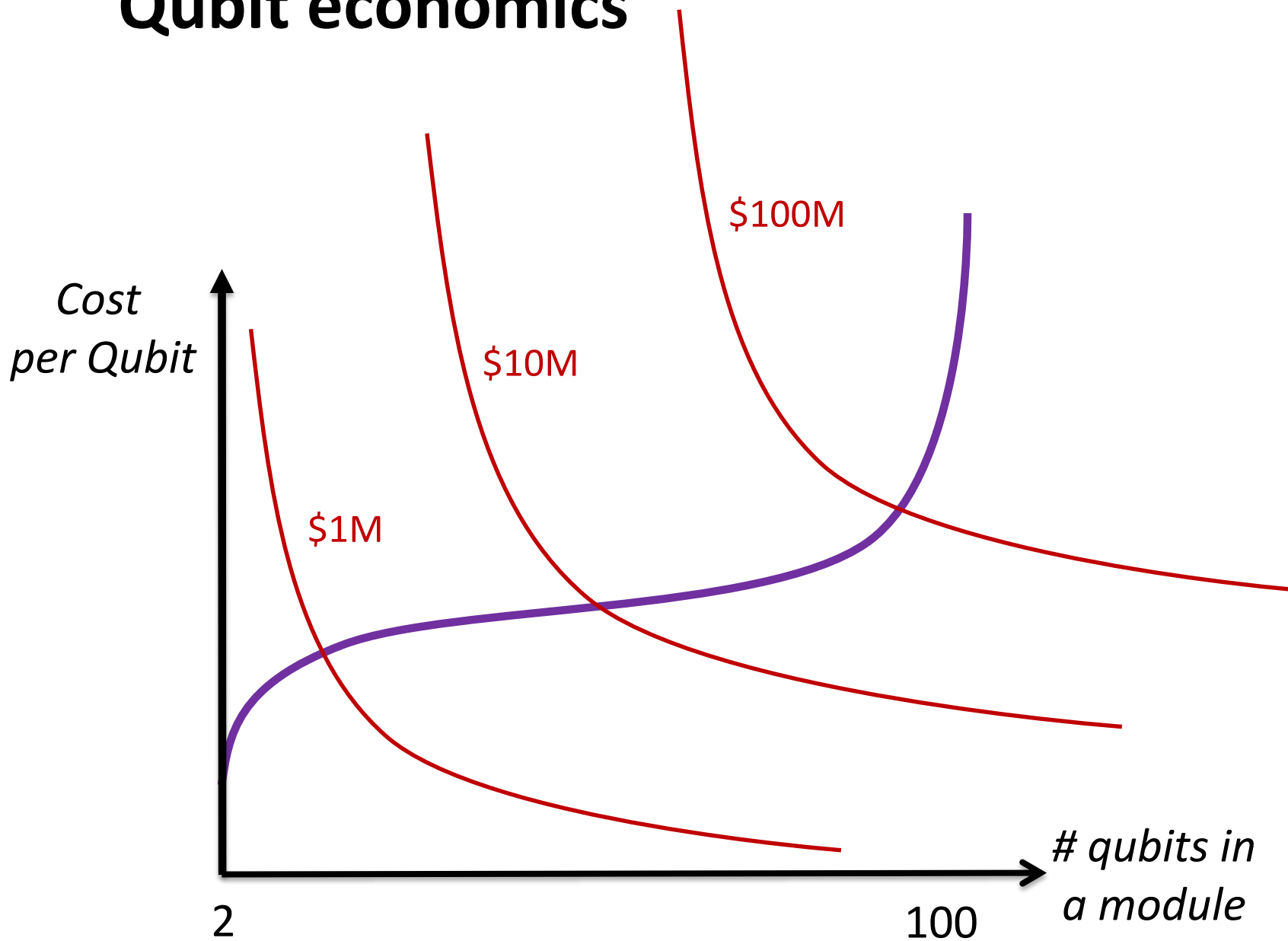


state measured at $J_0 t = 36$

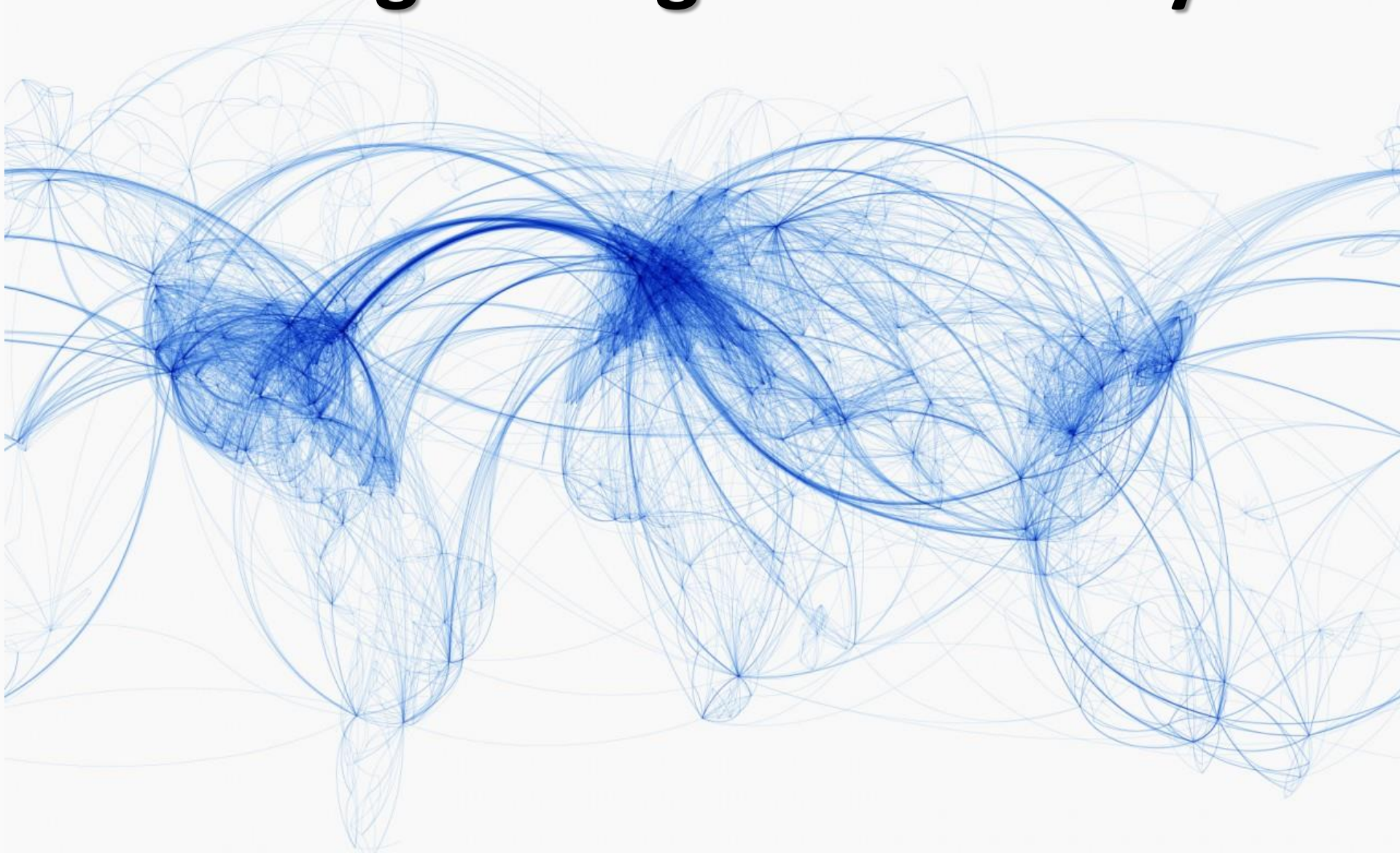
Scaling Up



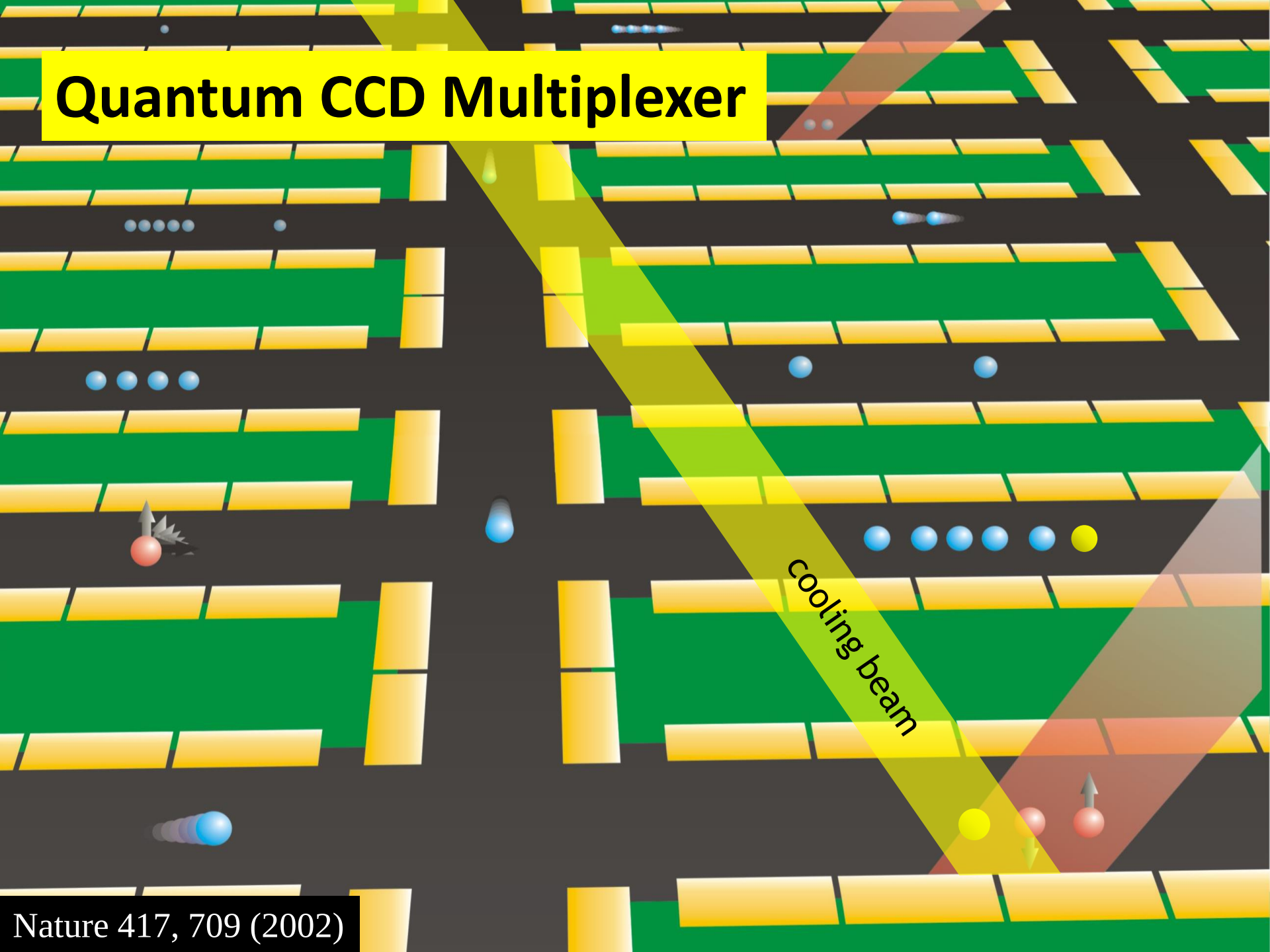
Qubit economics

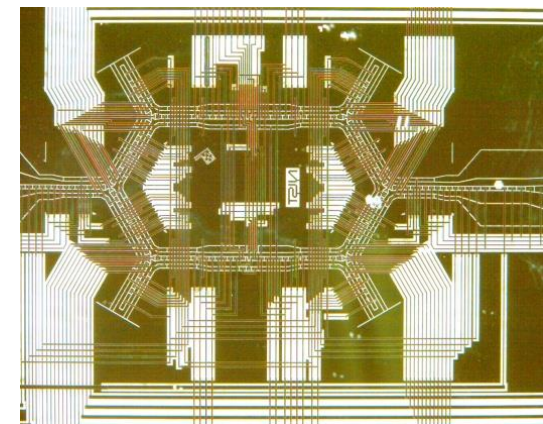
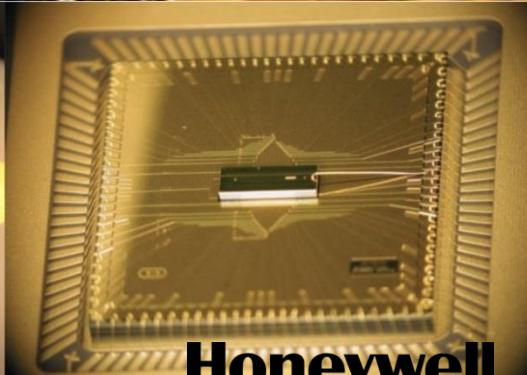
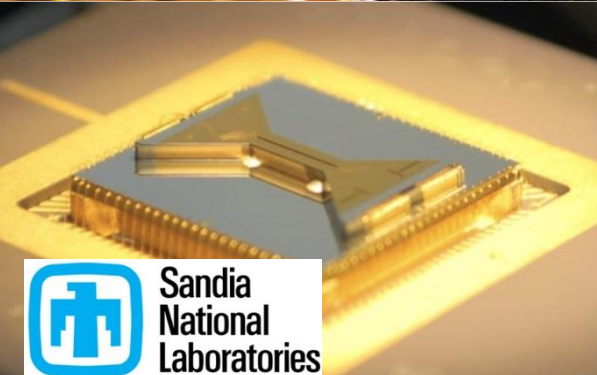
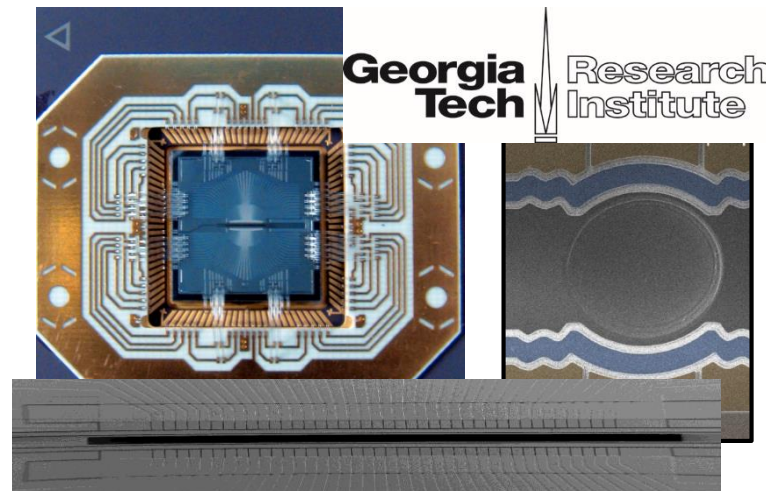
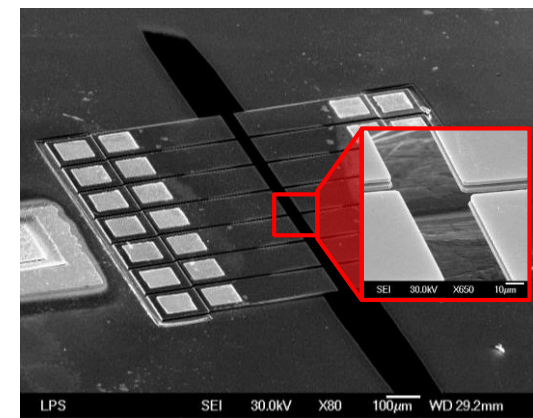
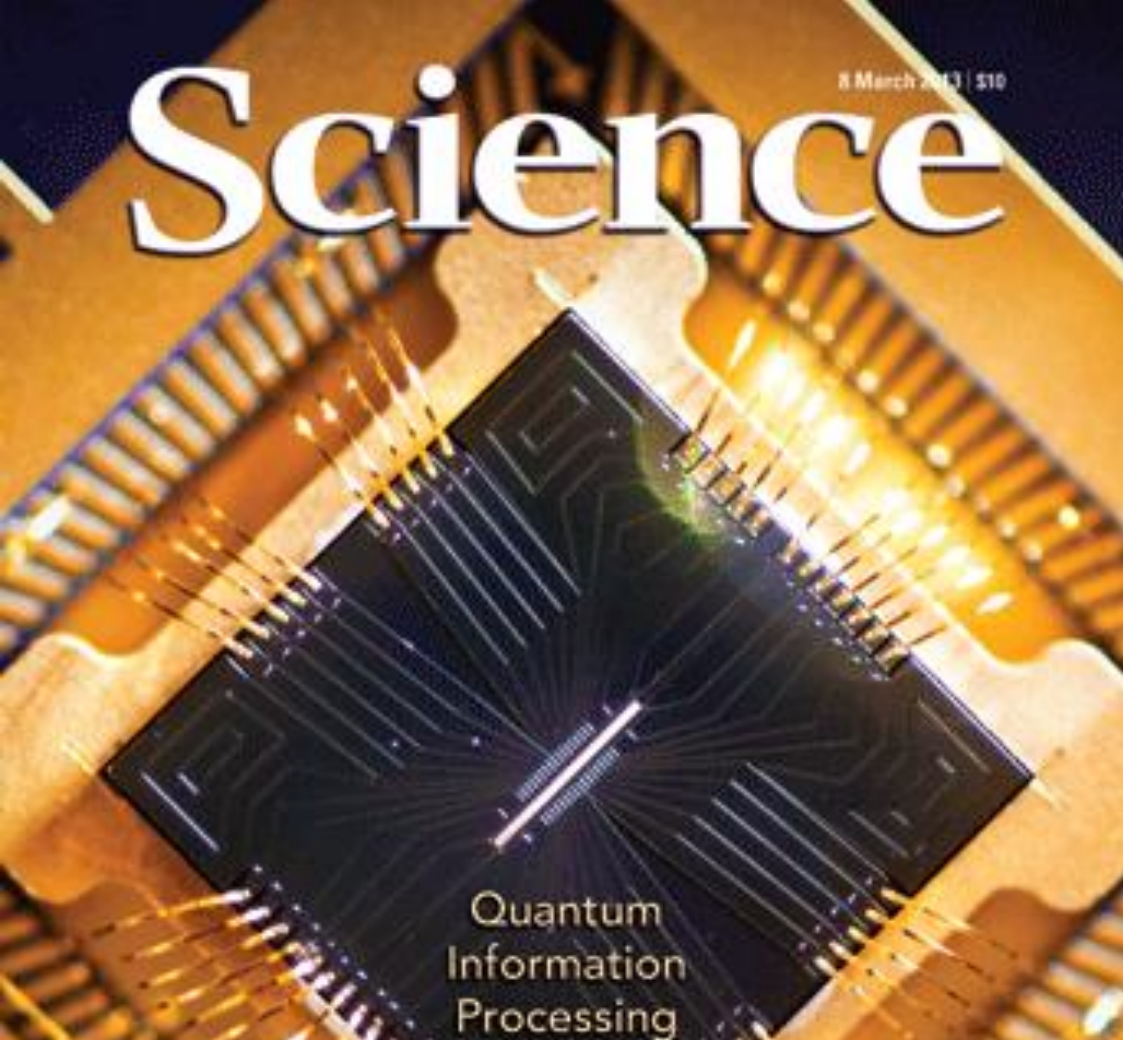


Scaling through Modularity

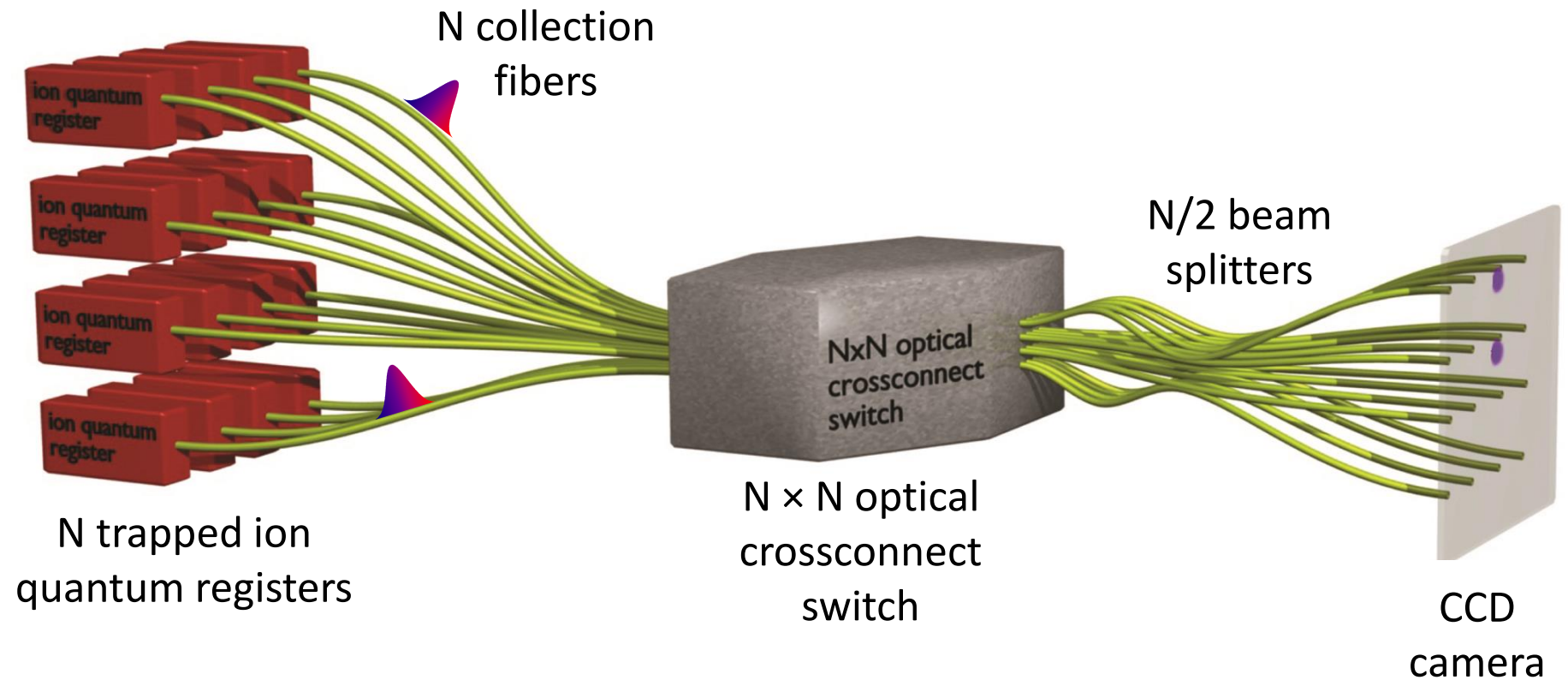


Quantum CCD Multiplexer

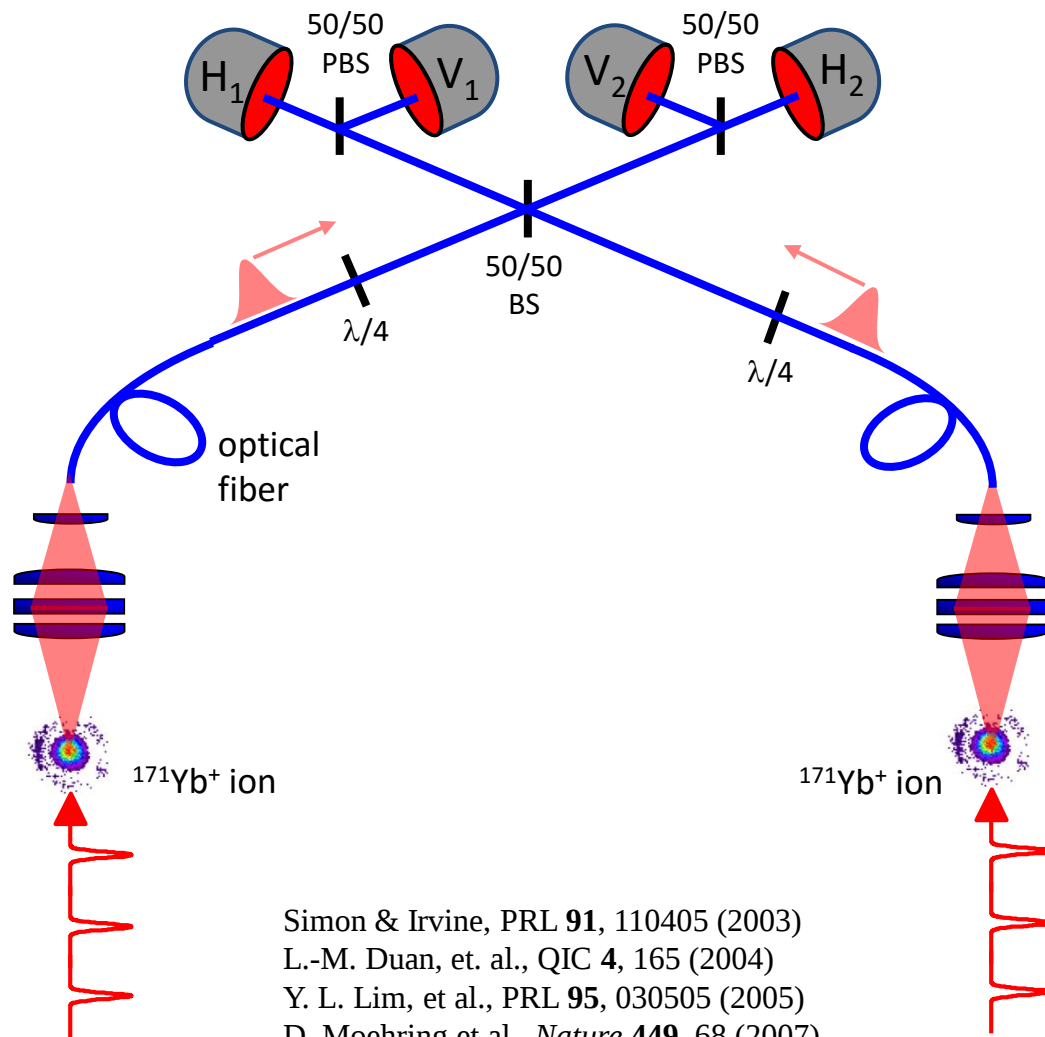




(to 1,000,000 qubits?)



Linking remote atoms with photons



Simon & Irvine, PRL **91**, 110405 (2003)
 L.-M. Duan, et. al., QIC **4**, 165 (2004)
 Y. L. Lim, et al., PRL **95**, 030505 (2005)
 D. Moehring et al., *Nature* **449**, 68 (2007)

Heralded coincident events ($p_{suc}=1/2$):

$$(H_1 \& V_2) \text{ or } (V_1 \& H_2) \rightarrow |\downarrow\uparrow\rangle - |\downarrow\uparrow\rangle$$

$$(H_1 \& V_1) \text{ or } (V_2 \& H_2) \rightarrow |\downarrow\uparrow\rangle + |\downarrow\uparrow\rangle$$

$$(H_1 \& H_1) \text{ or } (H_2 \& H_2) \rightarrow |\downarrow\downarrow\rangle$$

$$(V_1 \& V_1) \text{ or } (V_2 \& V_2) \rightarrow |\uparrow\uparrow\rangle$$

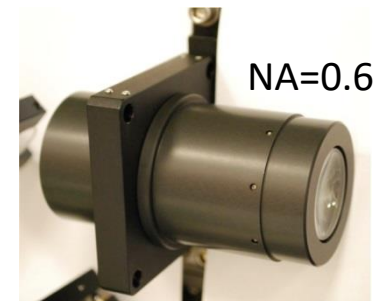
$$R_{ent} = \frac{1}{2} R p^2$$

Current:

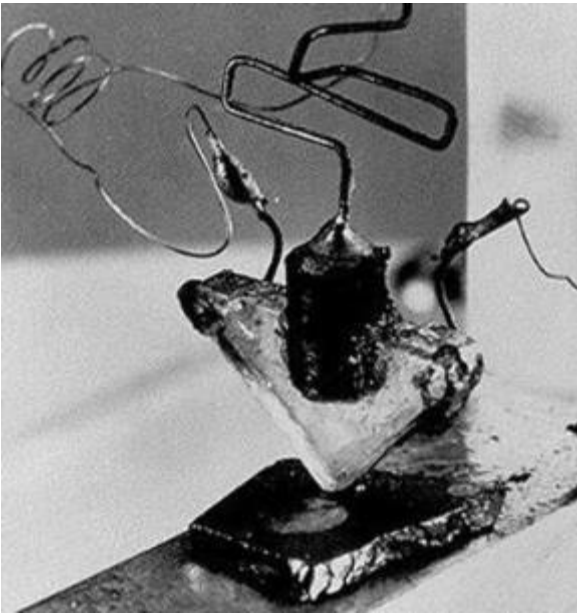
$$R = 600 \text{ kHz}$$

$$p = h_D \cdot F \cdot \frac{dW}{4\rho} = (0.25)(0.20)(0.10)$$

$$R_{ent} = 6 \text{ s}^{-1}$$



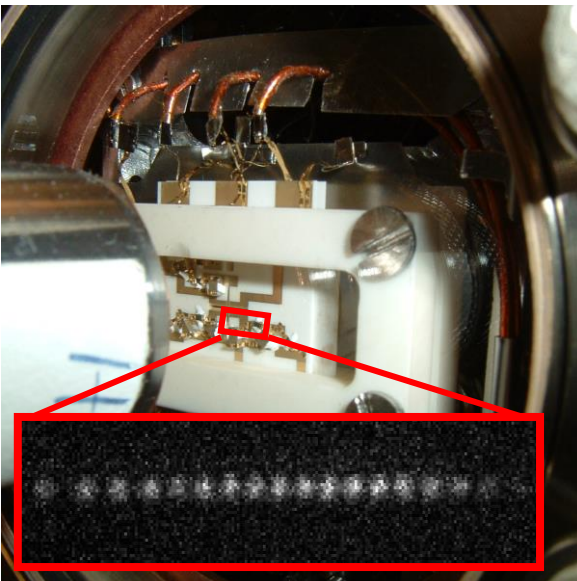
D. Hucul, et al., *Nature Phys.* **11**, 37 (2015)



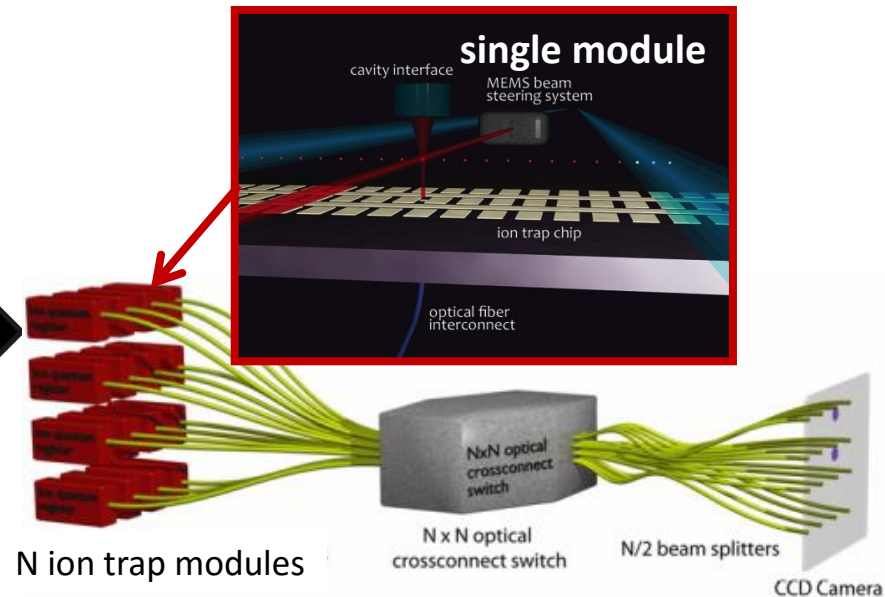
1947: first transistor



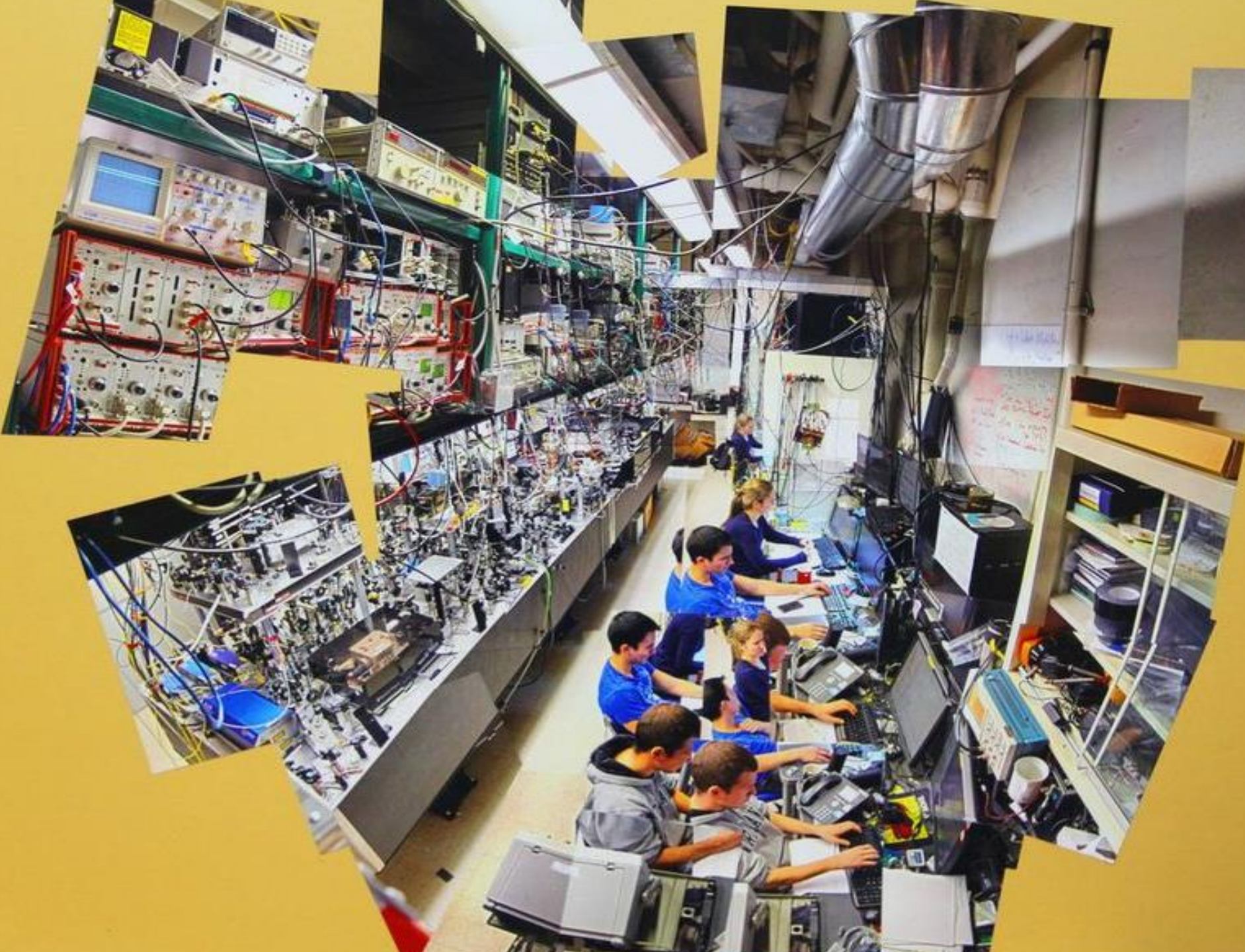
2000: integrated circuit



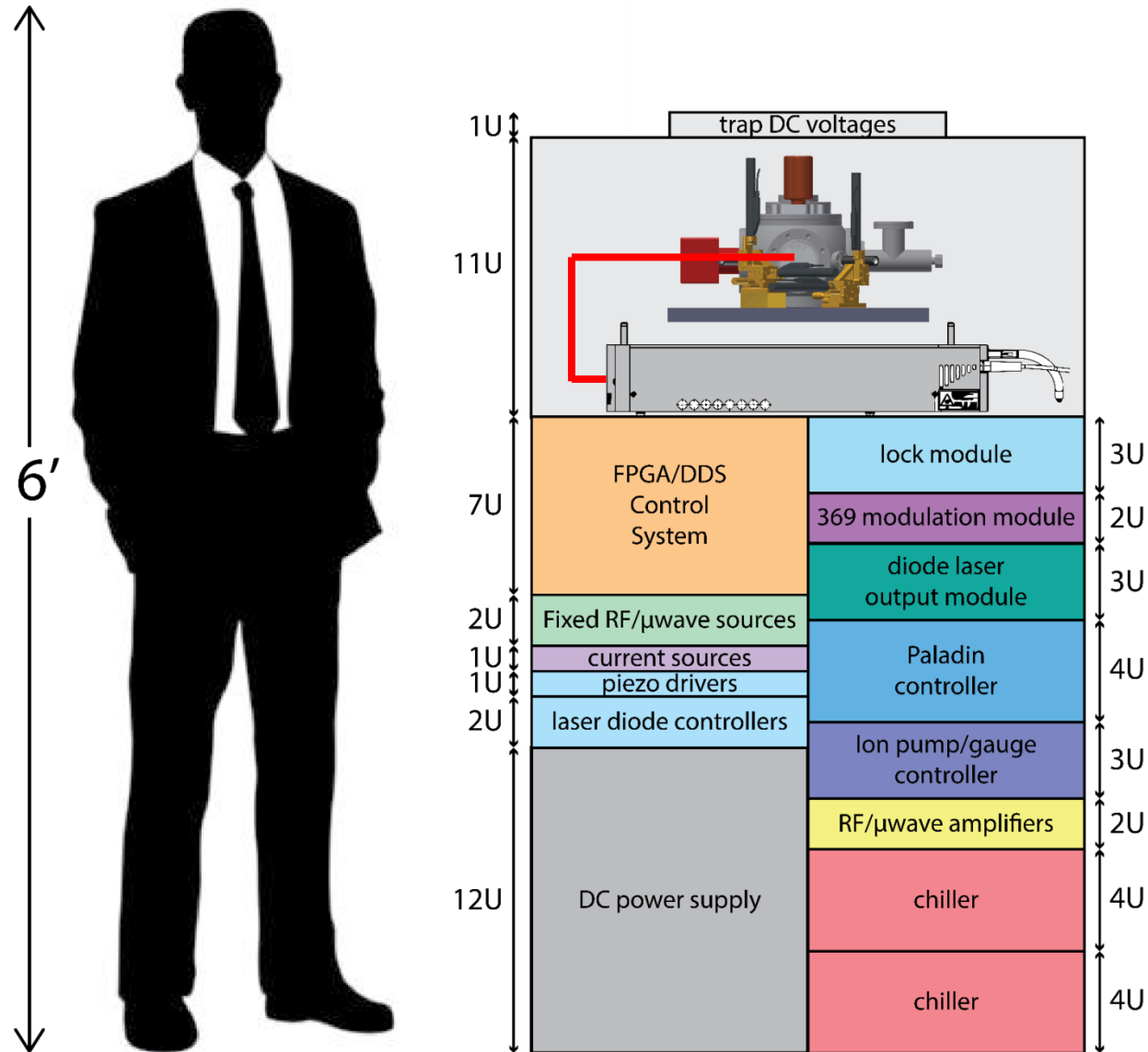
2015: qubit collection



Large scale quantum network?

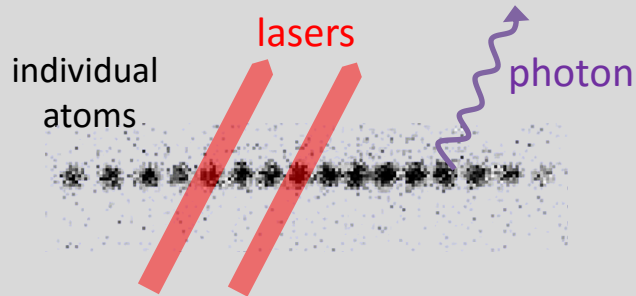


Single Module ~100 spins on two 19" Racks



Leading Quantum Computer Hardware Candidates

Trapped Atomic Ions



Atomic qubits connected through laser forces on motion or photons

FEATURES & STATE-OF-ART

- very long ($\gg 1$ sec) memory
- 5-20 qubits demonstrated
- **atomic qubits all identical**
- **connections reconfigurable**

CHALLENGES

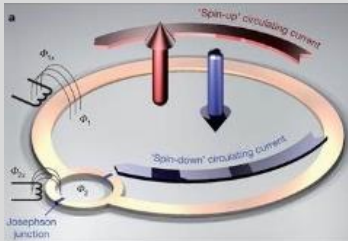
- lasers & optics
- slow gates
- high vacuum
- **engineering needed**

Investments:

IARPA
GTRI
Sandia

Lockheed
UK Gov't

Superconducting Circuits



Superconducting qubit:
“right or left current”

FEATURES & STATE-OF-ART

- connected with wires
- fast gates
- 5-10 qubits demonstrated
- **printable 2D circuits and VLSI**

CHALLENGES

- short (10^{-6} sec) memory
- 0.05K cryogenics
- **all qubits different**
- **not reconfigurable**

LARGE

Investments:

Google/UCSB IBM
Lincoln Labs Intel/Delft



Trapped Ion Quantum Information



www.iontrap.umd.edu

Res. Scientists

Jonathan Mizrahi
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Marko Cetina
Jason Amini

Grad Students

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Clay Crocker
Shantanu Debnath
Caroline Figgatt
David Hucul (→UCLA)
Volkan Inlek
Kevn Landsman
Aaron Lee
Kale Johnson
Harvey Kaplan
Antonis Kyprianidis
Ksenia Sosnova
Jake Smith
Ken Wright

Undergrads

Eric Birckelbaw
Kate Collins
Akshay Grewal
Micah Hernandez
Hannah Ruth



Postdocs

Kristi Beck
Paul Hess
Marty Lichtman
Norbert Linke
Steven Moses
Brian Neyenhuis (→ Lockheed)
Guido Pagano
Phil Richerme (→ Indiana)
Grahame Vittorini (→ Honeywell)
Jiehang Zhang

Collaborators

Luming Duan (Michigan)
Philip Hauke (Innsbruck)
David Huse (Princeton)
Alexey Gorshkov (JQI/NIST)
Alex Retzker (Hebrew U)



LPS/NSA



ARO

