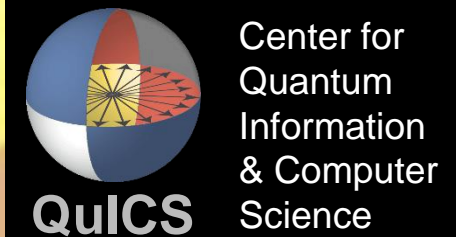


Reconfigurable Quantum Computers and Simulators with Atomic Ions

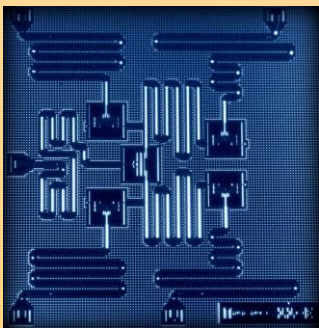
Christopher Monroe

University of Maryland, JQI, QuICS, and IonQ Inc.



Two Quantum Technologies Ready for Building

Superconducting Circuits



Superconducting qubit: phase/charge/current, capacitive or microwave photon couplings

FEATURES & STATE-OF-ART

- connected with waveguides
- ~10 qubits demonstrated
- **fast clock speed**
- **printable circuits and VLSI**

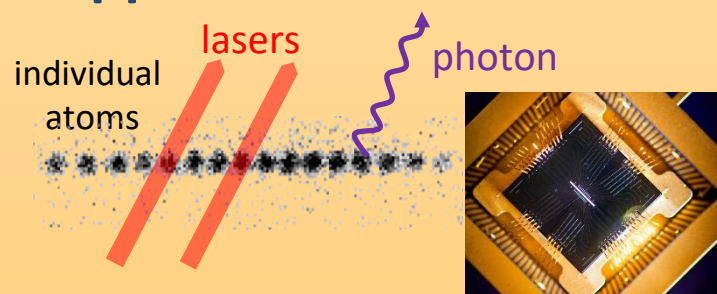
CHALLENGES

- short (10^{-6} sec) memory
- 0.05K cryogenics
- **all qubits different**
- **limited connectivity**
- **not reconfigurable**

Investments

IARPA
DoD
Lincoln Labs
IBM
Intel/Delft
Google/UCSB
Rigetti Computing
Quantum Circuits, Inc.

Trapped Atomic Ions



Atomic qubits connected through charge-coupled motion, shuttling, or photons

FEATURES & STATE-OF-ART

- very long ($\gg 1$ sec) memory
- ~20 qubits demonstrated
- **qubits all identical**
- **fully connected**
- **connections reconfigurable**

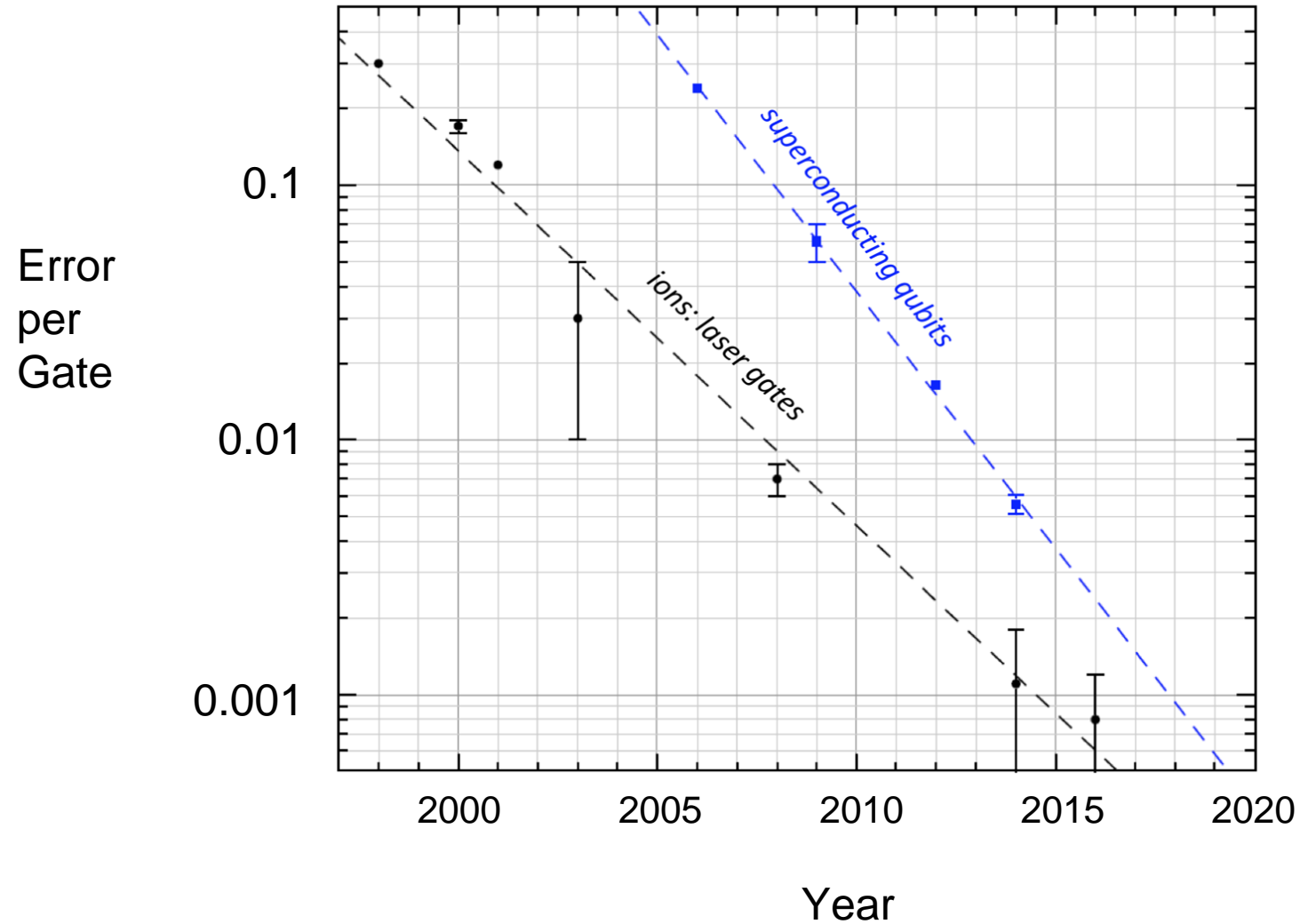
CHALLENGES

- lasers & optics
- high vacuum
- **slow clock speed**
- **engineering needed**

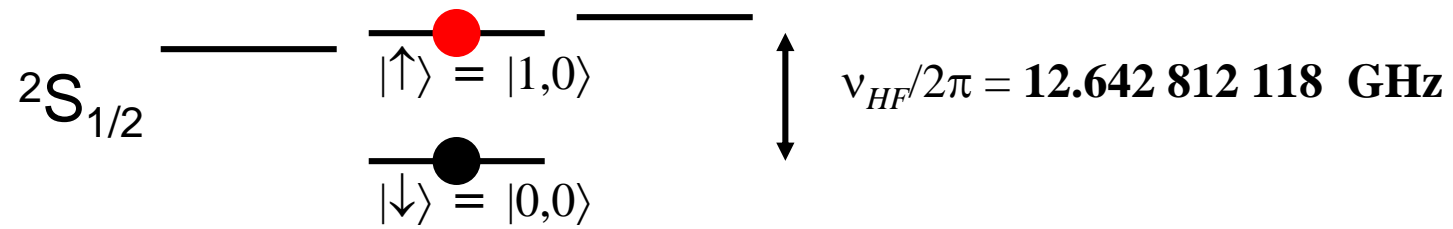
Investments

IARPA
DoD
Lincoln Labs
Sandia
UK Gov't
Honeywell
IonQ, Inc.

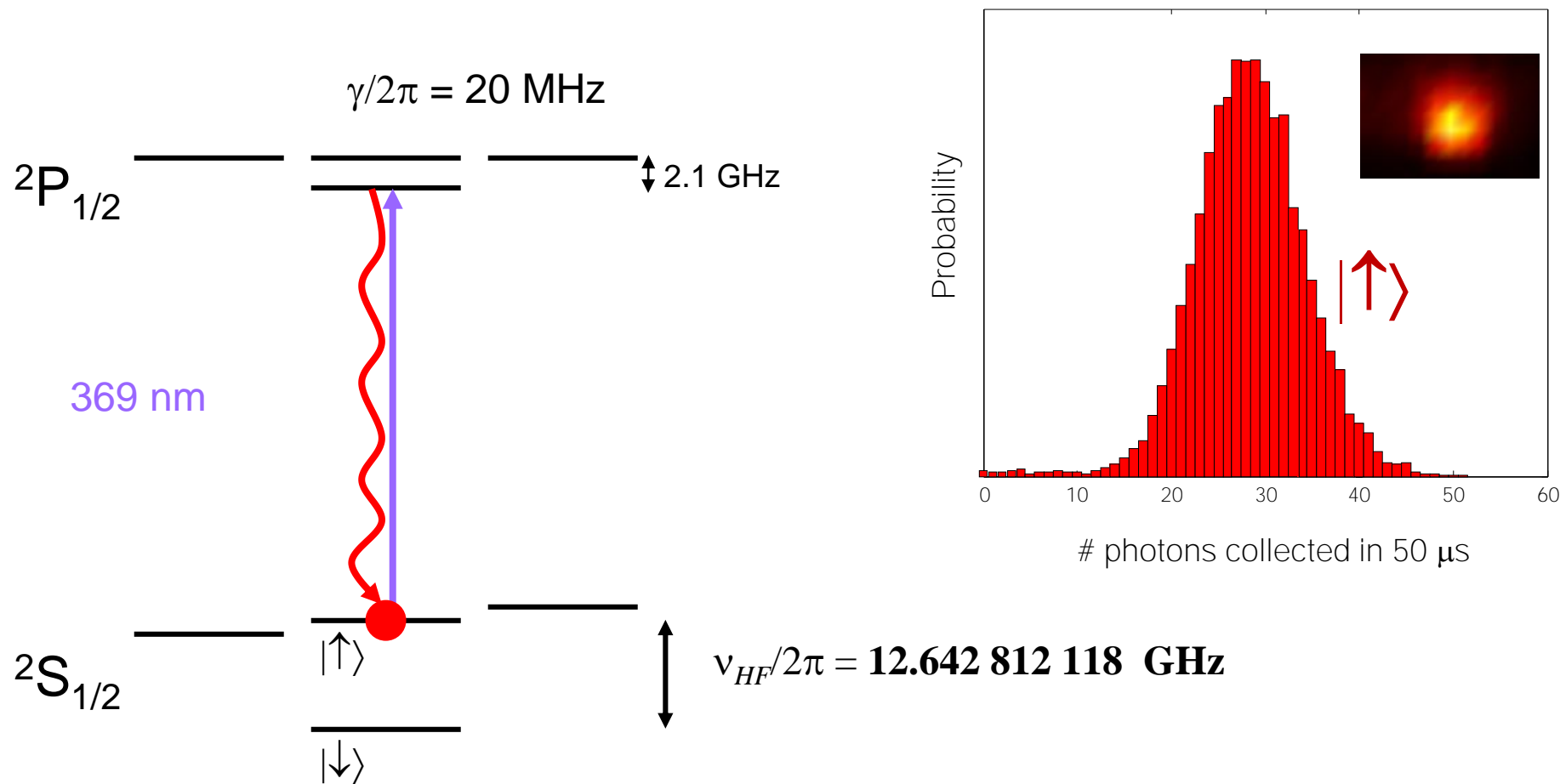
History of 2-Qubit Gate Performance



Atomic Qubit ($^{171}\text{Yb}^+$)



$^{171}\text{Yb}^+$ Qubit Detection

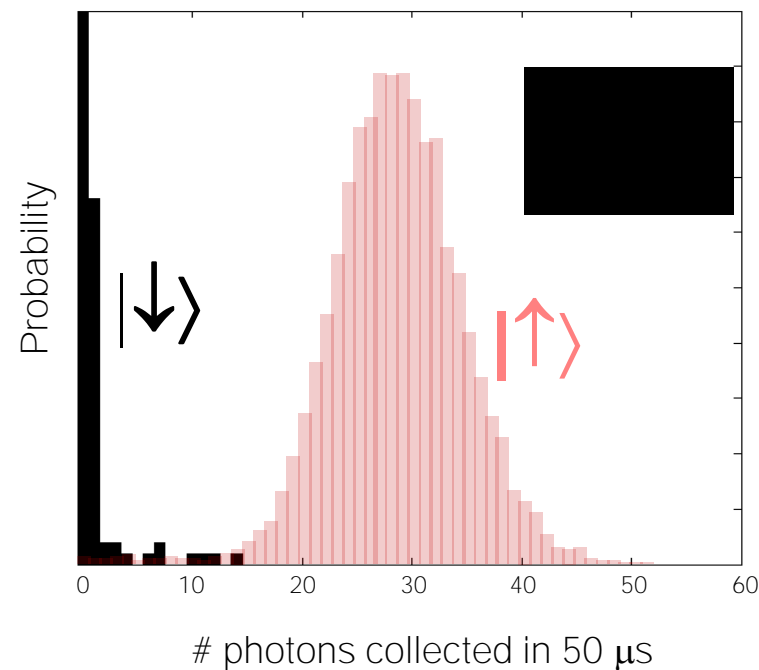
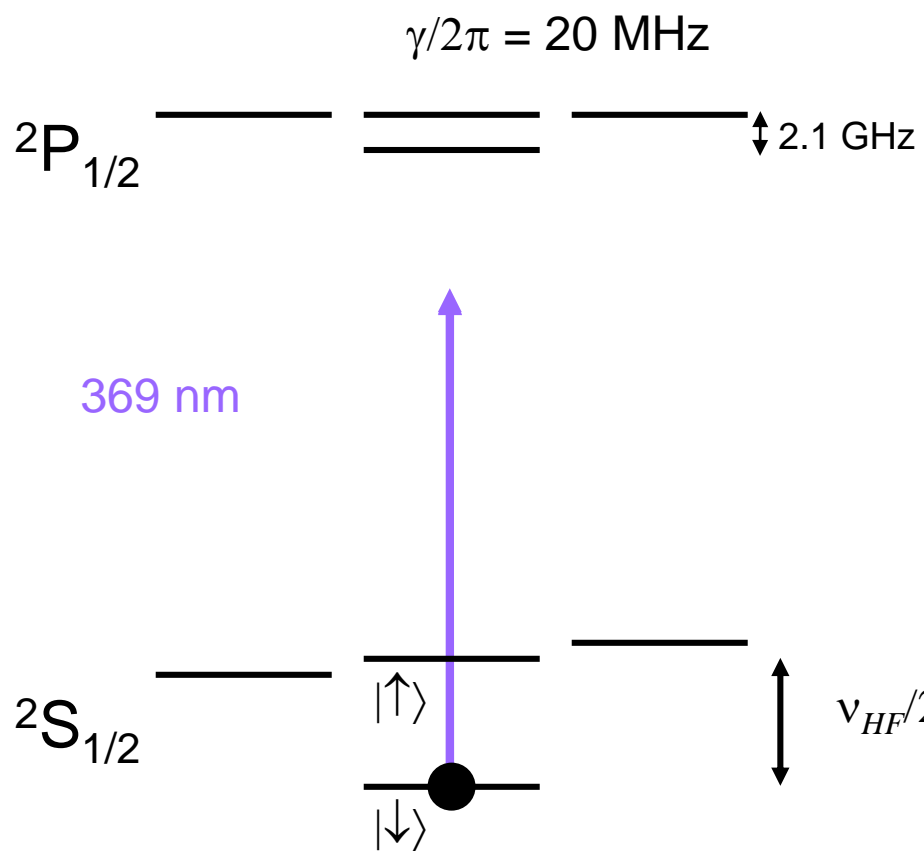


$^{171}\text{Yb}^+$ Qubit Detection

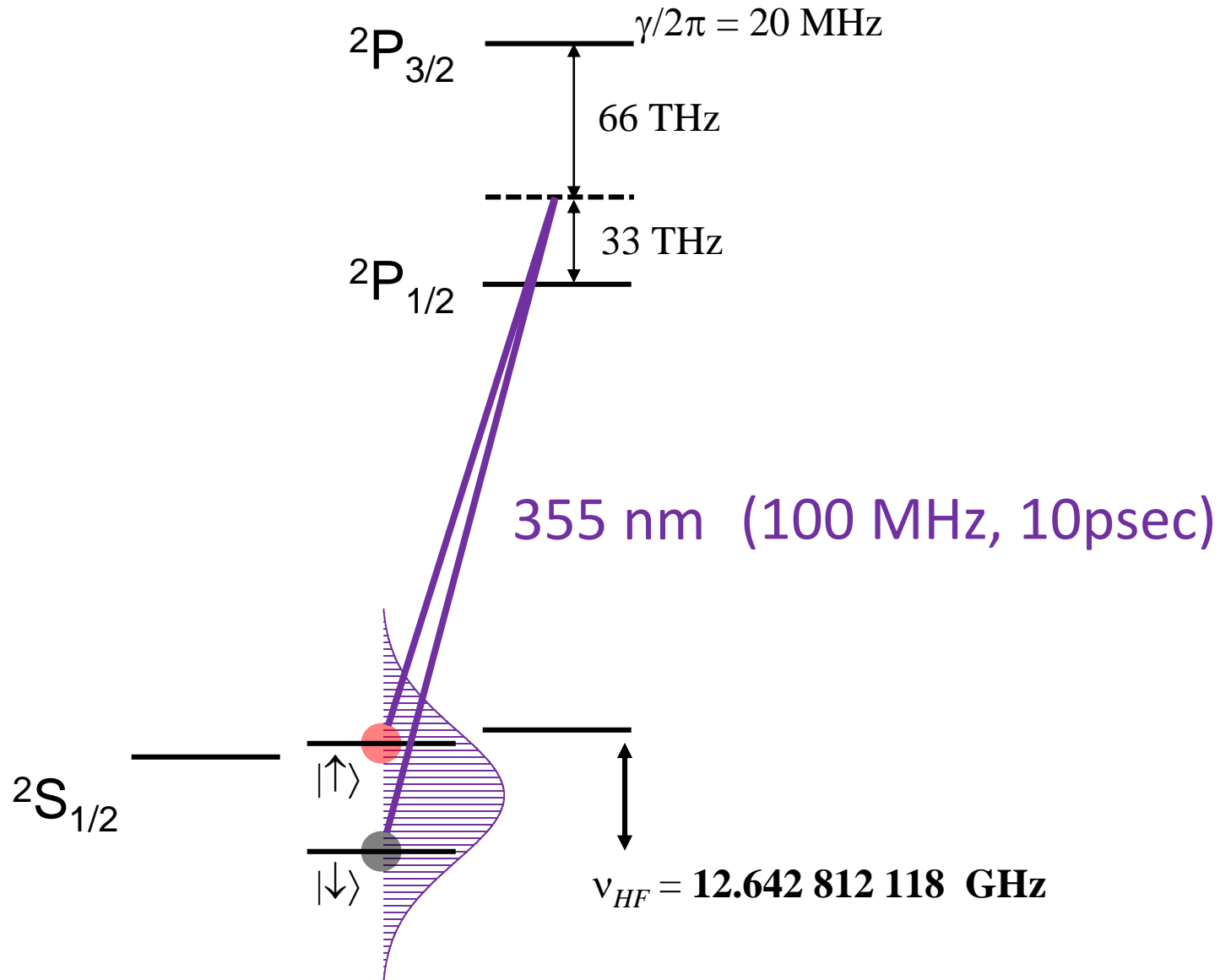
High-NA collection + SNSPD (J. Kim, Duke)

- 6.5% of fluorescence detected

- 99.93% qubit detection in 12 μs



$^{171}\text{Yb}^+$ Qubit Manipulation



Entangling Trapped Ion Qubits



dipole-dipole coupling $\Delta E = \frac{e^2}{\sqrt{r^2 + \delta^2}} - \frac{e^2}{r} \approx -\frac{(e\delta)^2}{2r^3}$ $\delta \sim 10 \text{ nm}$
 $e\delta \sim 500 \text{ Debye}$

$$\begin{array}{l}
 |\downarrow\downarrow\rangle \rightarrow |\downarrow\downarrow\rangle \\
 |\downarrow\uparrow\rangle \rightarrow e^{-i\varphi} |\downarrow\uparrow\rangle \\
 |\uparrow\downarrow\rangle \rightarrow e^{-i\varphi} |\uparrow\downarrow\rangle \\
 |\uparrow\uparrow\rangle \rightarrow |\uparrow\uparrow\rangle
 \end{array}
 \longrightarrow
 \varphi = \frac{\Delta E t}{\hbar} = \frac{e^2 \delta^2 t}{2\hbar r^3} = \frac{\pi}{2}$$

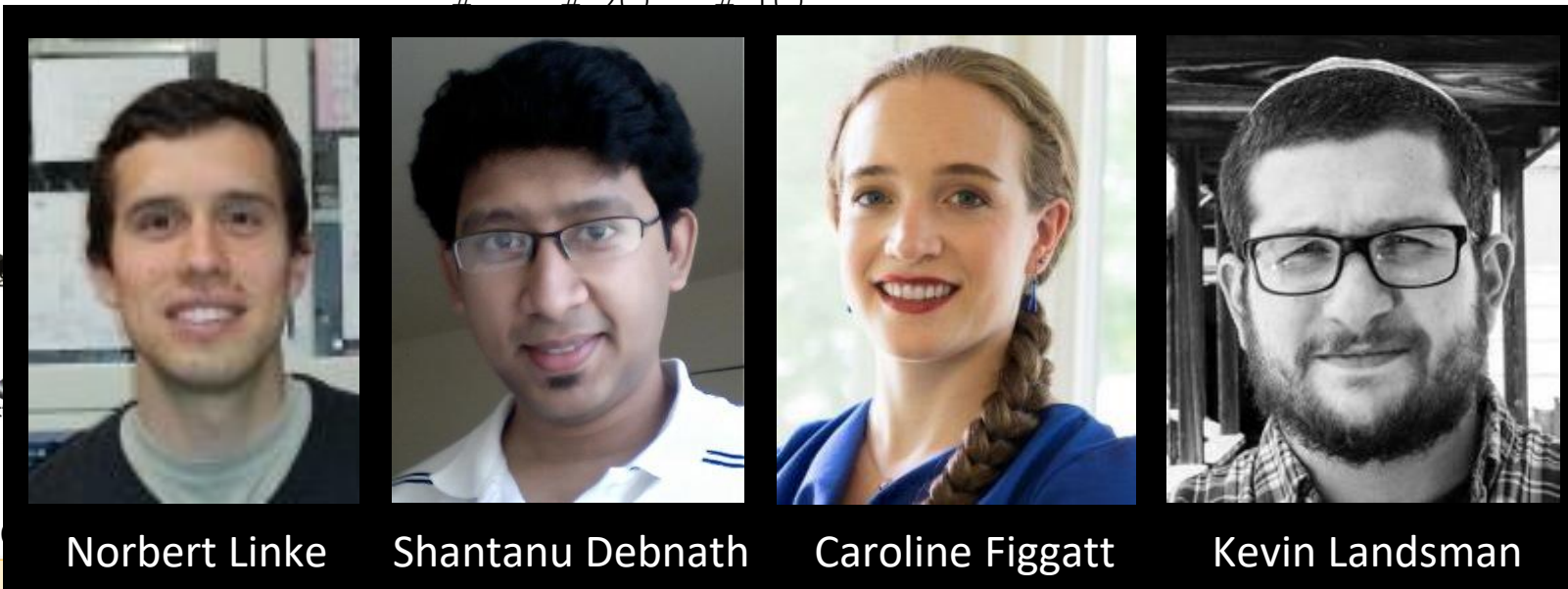
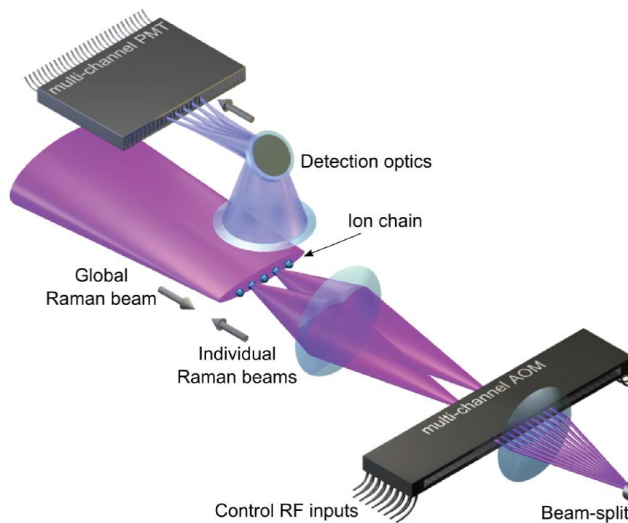
for full entanglement

Native Ion Trap Operation: "Ising" gate

$$XX[\varphi] = e^{-i\sigma_x^{(1)}\sigma_x^{(2)}\varphi} \quad T_{gate} \sim 10-100 \mu\text{s} \quad F \sim 98\% - 99.9\%$$

- Cirac and Zoller (1995)
- Mølmer & Sørensen (1999)
- Solano, de Matos Filho, Zagury (1999)
- Milburn, Schneider, James (2000)

Suite of Algorithms implemented on trapped ion qubits



Norbert Linke

Shantanu Debnath

Caroline Figgatt

Kevin Landsman

Full "Quantum Stack" architecture

User	Quantum Algorithms: <i>Deutsch-Jozsa, QFT, etc.</i>
Quantum compiler	Universal gates: <i>Hadamard, C-NOT, C-Phase, etc.</i> Native gates: <i>XX-Gates, R-gates</i>
Quantum control	Pulse shaping: <i>Optimization of XX- and R-Gates</i>
Hardware	Optical addressing: <i>Qubit manipulation/ detection</i> Ion trap: <i>Linear ion-chain, optical access, etc.</i>

	#	# 20	# 10		
Fredkin Gate	3	7	14	86%	arXiv:1712.08581 (2017) Intel
Fermi-Hubbard Sim.	5	31	132		arXiv:1712.08581 (2017) Intel
Scrambling Test	7	15	30	75%	In preparation (2018) Perimeter, UCB
Game Theory	5	5	15		In preparation (2018) Army Res. Lab.
Machine Learning	4	6	8	90%	arXiv:1801.07686 (2018) NASA
[[4,2,2]] Error Det.	5	6-7	20-25	98%-99.9%	Sci. Adv. 3, e1701074 (2017) Duke
Full Adder	4	4	16	83%	Figgatt Thesis NSF
Simultaneous CNOT	4	2	8	94%	Figgatt Thesis NSF
Deuteron Simulation	3	21	11		In progress ORNL

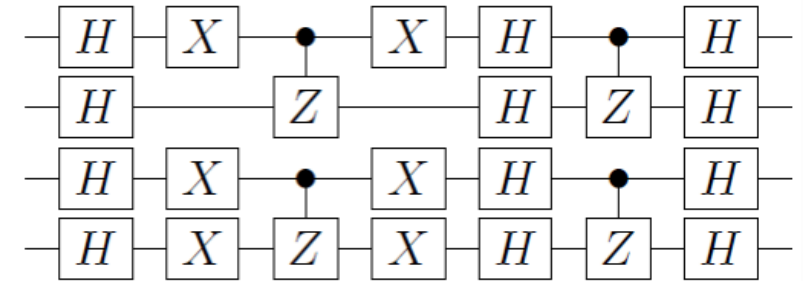
Hidden Shift algorithm

Given two N -bit functions $f(x) = g(x+s)$
find the hidden shift s

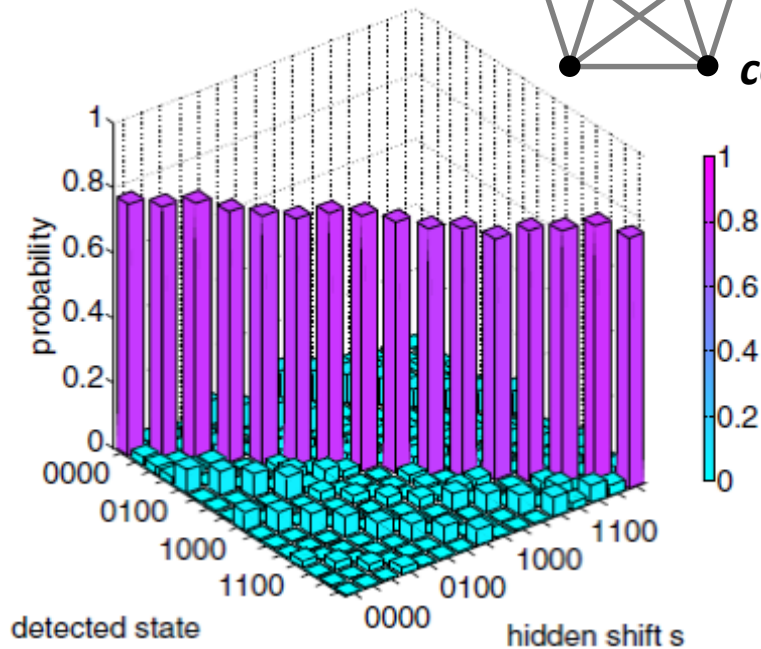
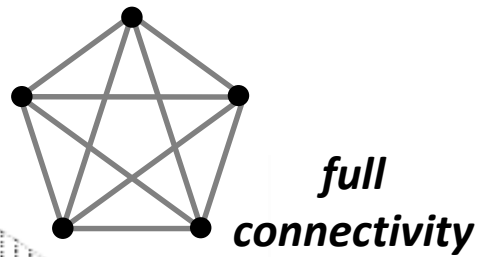
Classical: $2^{N/2}$ queries of $f(x)$

Quantum: 1 query

4-qubit
circuit for
 $s = 1010$



5-qubit ion trap QC
(UMaryland)

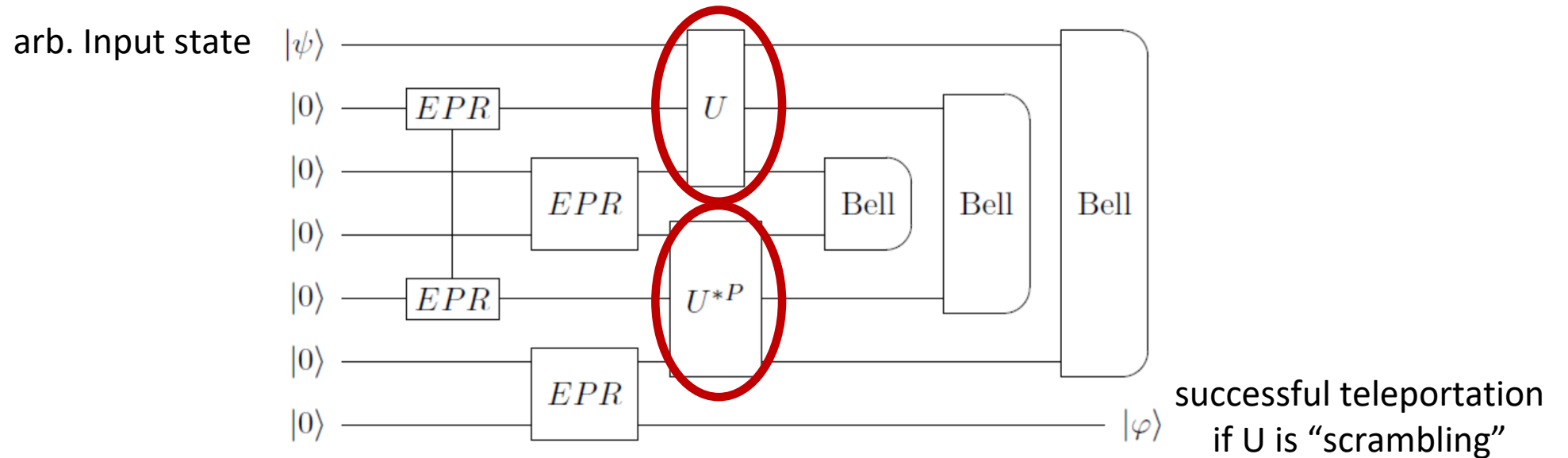


Scrambling litmus test circuit (7 qubits)

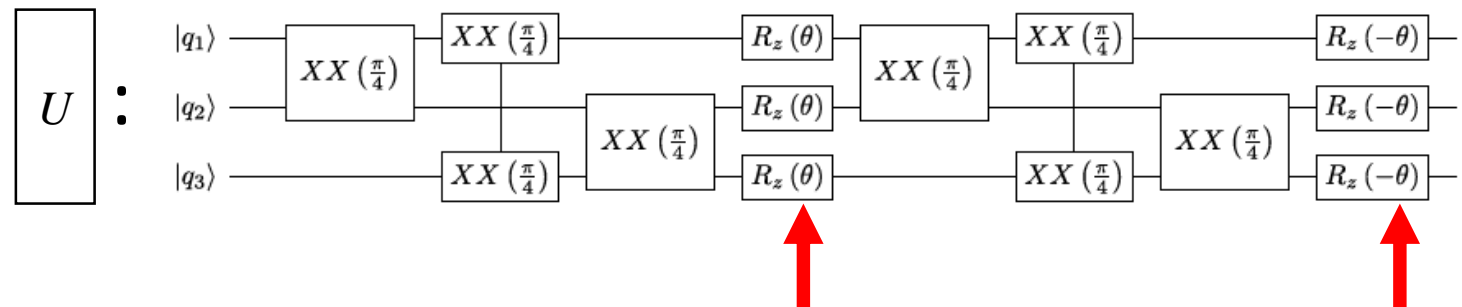
N. Yao (UC Berkeley)
 B. Yoshida (Perimeter Inst.)
 K. Landsman et al. (UMD)

Quantum scrambling

- Not just entanglement but the “complete diffusion” of entanglement within a system
- relevant to information evolution in black holes
- *P. Hayden and J. Preskill, J. HEP 9, 120 (2007)*



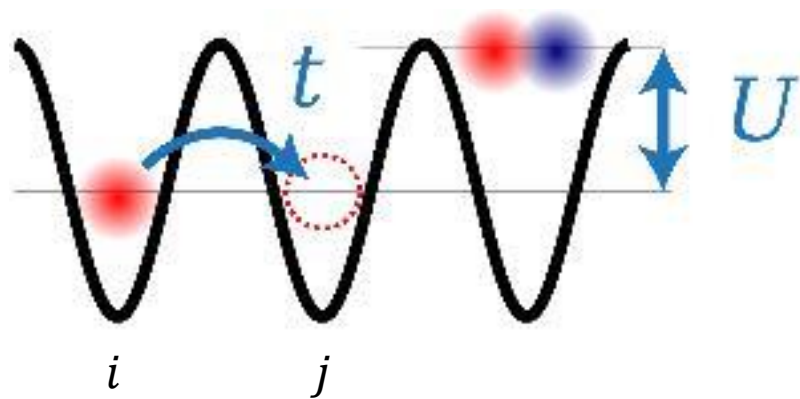
A sample 3-qubit unitary U .
 Degree of scrambling depends on rotation θ !



Simulating the 2-site Fermi-Hubbard Model

N. Linke, et al., arXiv:171208581 (2017)

Two-site electronic Fermi-Hubbard model



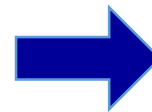
$$H = -t \sum_{\langle i,j \rangle, \sigma} (c_{i,\sigma}^\dagger c_{j,\sigma} + c_{j,\sigma}^\dagger c_{i,\sigma}) + U \sum_{i=1}^N n_{i\uparrow} n_{i\downarrow}$$

$c_{i,\sigma}^\dagger$ = creation operator of electron of spin σ at site i

$n_{i,\sigma} = c_{i,\sigma}^\dagger c_{i,\sigma}$ = # electrons at site i

2 sites: encoding into 2 qubits
(given conservation of electron
number and total spin)

$$\begin{aligned} |00\rangle &= \{1_\uparrow 1_\downarrow\} \\ |01\rangle &= \{1_\uparrow 2_\downarrow\} \\ |10\rangle &= \{2_\uparrow 1_\downarrow\} \\ |11\rangle &= \{2_\uparrow 2_\downarrow\} \end{aligned}$$



$$H = -t(X_1 + X_2) + \frac{U}{2} Z_1 Z_2$$

X, Z = qubit Pauli matrices

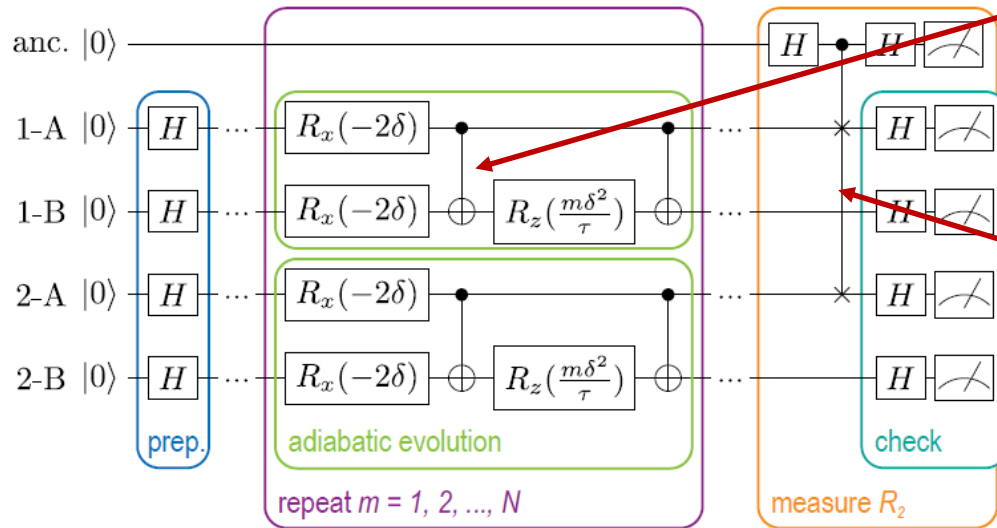
Simulating the 2-site Fermi-Hubbard Model

N. Linke, et al., arXiv:171208581 (2017)

Renyi entropy $R_2 = \text{Tr}\{\rho_A^2\}$ measures system entanglement and allows estimation of Hamiltonian $\langle H \rangle$

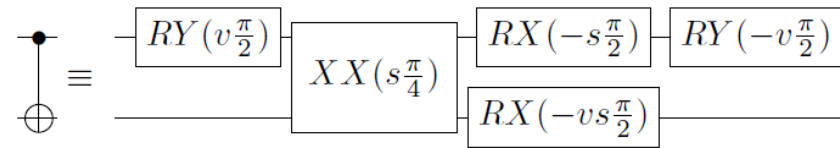
2 qubits, 2 copies + 1 ancilla = 5 qubits total

Trotter circuit to evaluate Hamiltonian

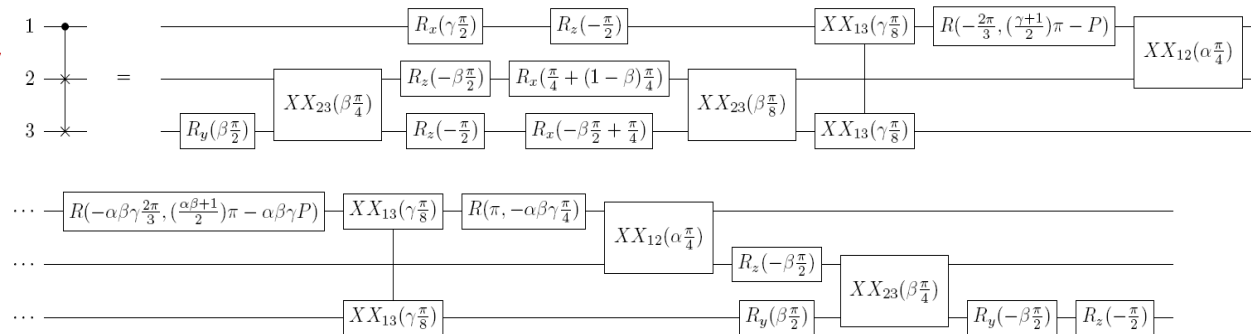


Number of iterations $N = U\tau/\delta$

C-NOT gate



C-Swap gate

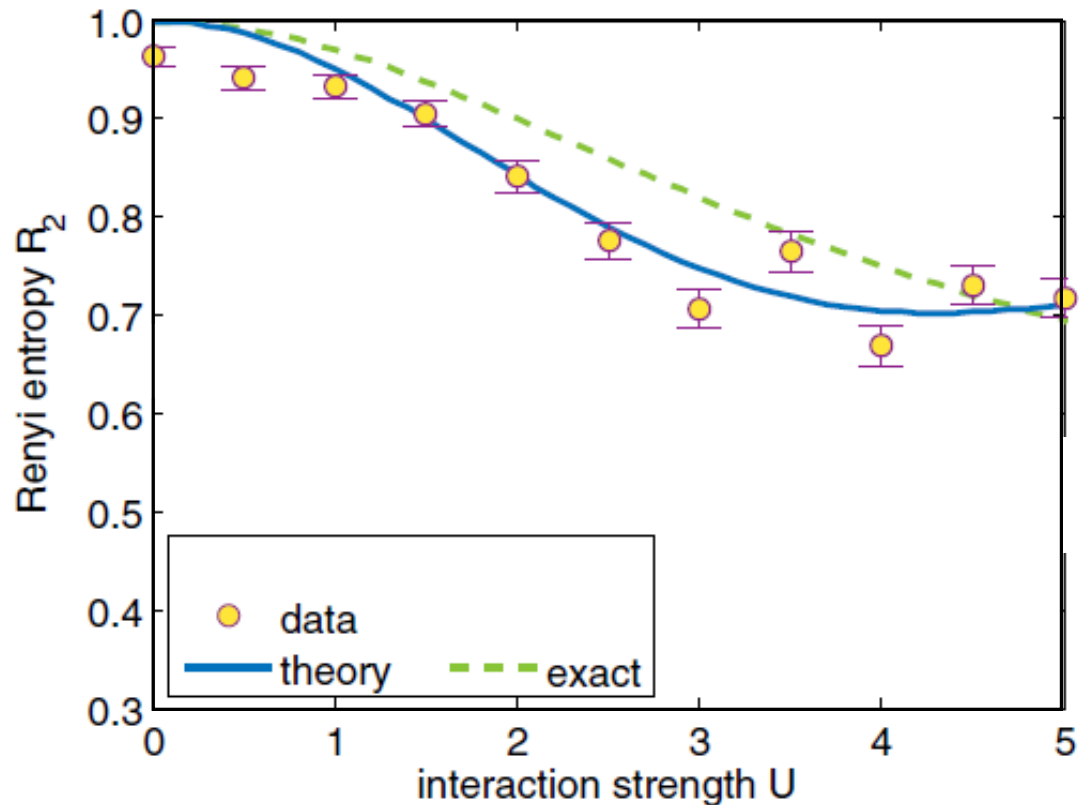


Implemented up to $N = 6$ iterations: **132 single-qubit gates, 31 dual-qubit gates**

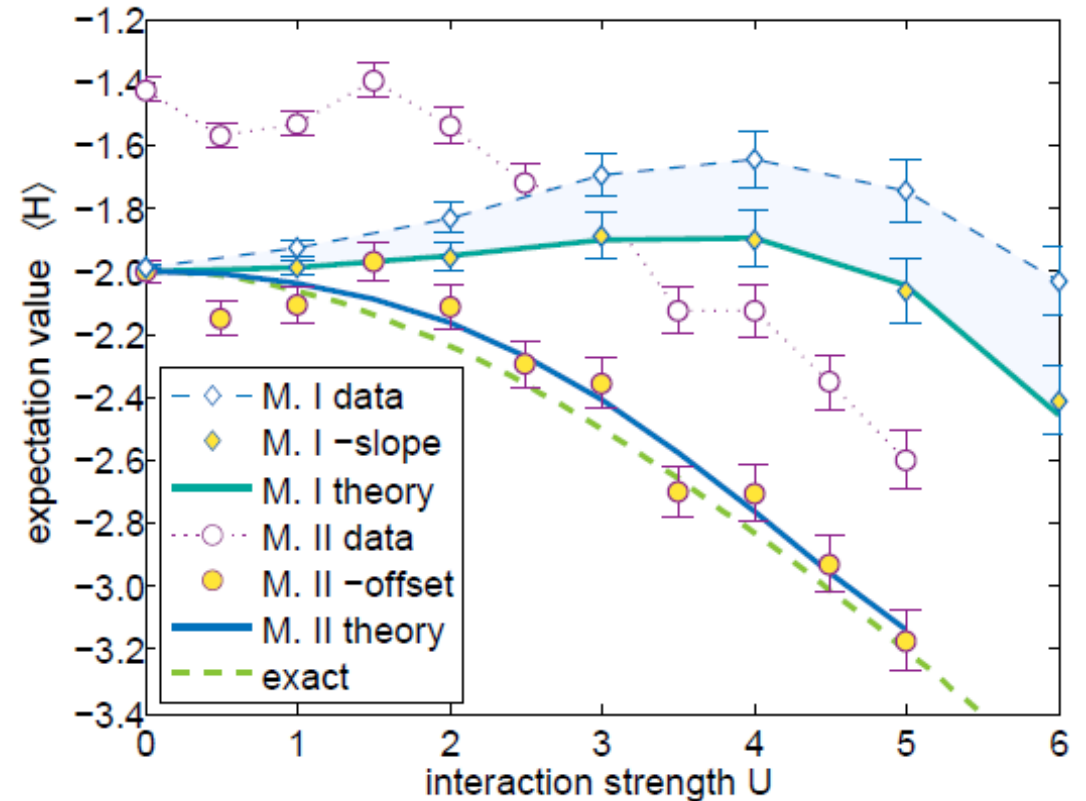
Simulating the 2-site Fermi-Hubbard Model

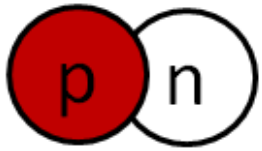
N. Linke, et al., arXiv:171208581 (2017)

Measure of Renyi entropy $R_2 = \text{Tr}\{\rho_A^2\}$
 $R_2 < 1$ shows entanglement



Measure of $\langle H \rangle = -t(\langle X_1 \rangle + \langle X_2 \rangle) + \frac{U}{2} \langle Z_1 Z_2 \rangle$





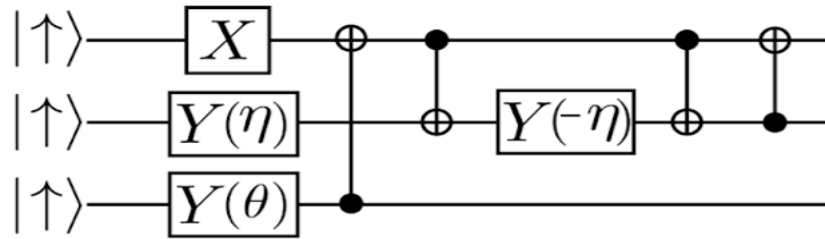
Simulating the Ground State of Deuteron

ORNL (R. Pooser, E. Dumitrescu, P. Lougovski, A. McCaskey)

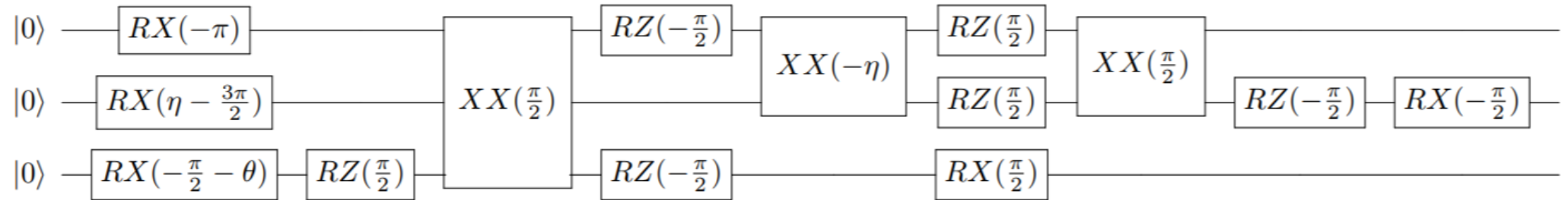
UMD (K. Landsman, N. Linke, D. Zhu, CM)

IonQ (Y. Nam, O. Shehab, CM)

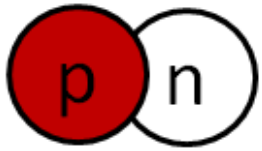
canonical
UCC ansatz



... compiled
to our native
gate set

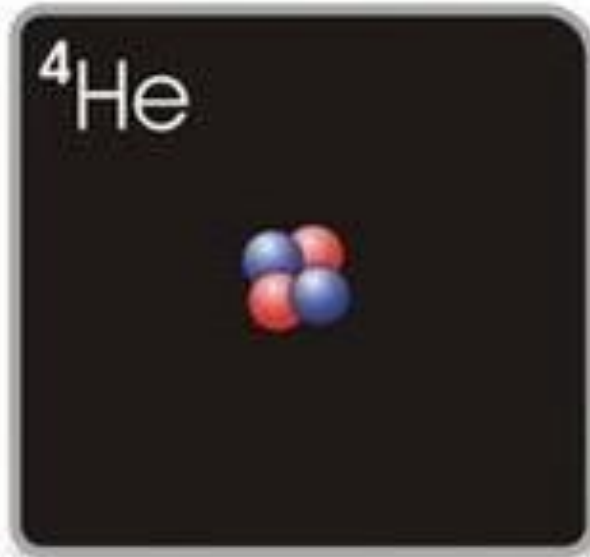


$$\begin{aligned}
 H = & (15.531709) I + (0.218291) Z_0 - (6.125) Z_1 - (9.625) Z_2 \\
 & - (2.143304) X_0 X_1 - (2.143304) Y_0 Y_1 - (3.913119) X_1 X_2 - (3.913119) Y_1 Y_2
 \end{aligned}$$

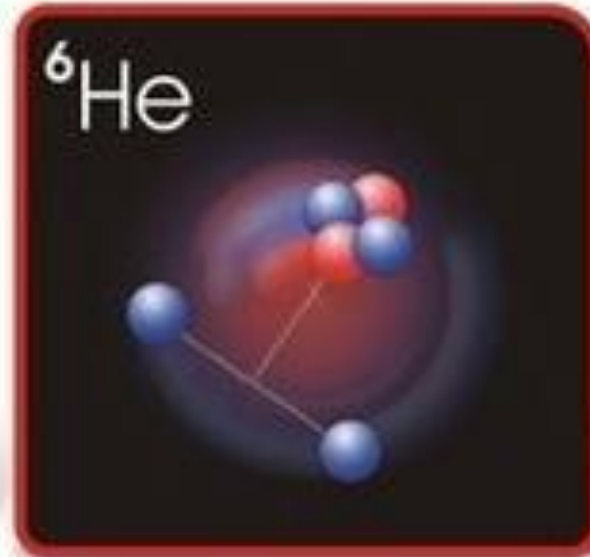


Simulating the Ground State of Deuteron

**Up Next
(?)**



IBM (error margin 3%)



IonQ-UMD (error margin 0.7%)



(Note: implementing 3-qubit ansatz on Rigetti system was not possible)

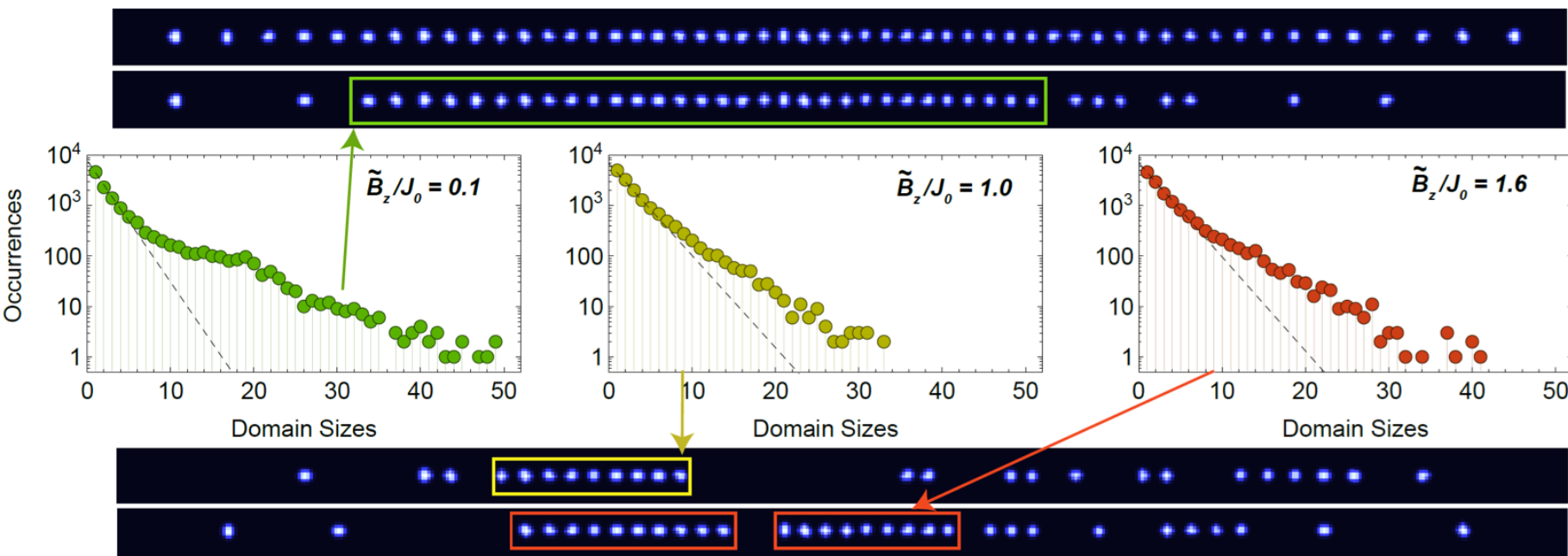
Quantum Simulation with 50+ Qubits

J. Zhang et al., Nature 551, 601 (2018)

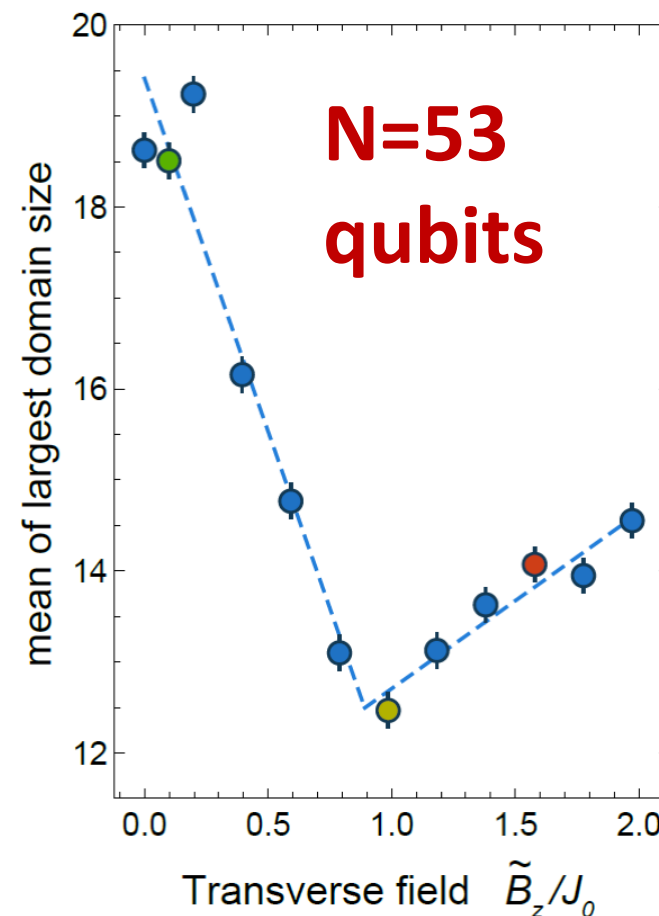
(See Friday talk!)

- (1) Prepare qubits (spins) along x
- (2) Apply “all-on-all” entangling gates (long-range transverse Ising model)
- (3) Measure each qubit along x

$$\rightarrow H = \sum_{i<j} J_{ij} \sigma_x^i \sigma_x^j + B \sum_i \sigma_z^i$$



Dynamical Phase Transition

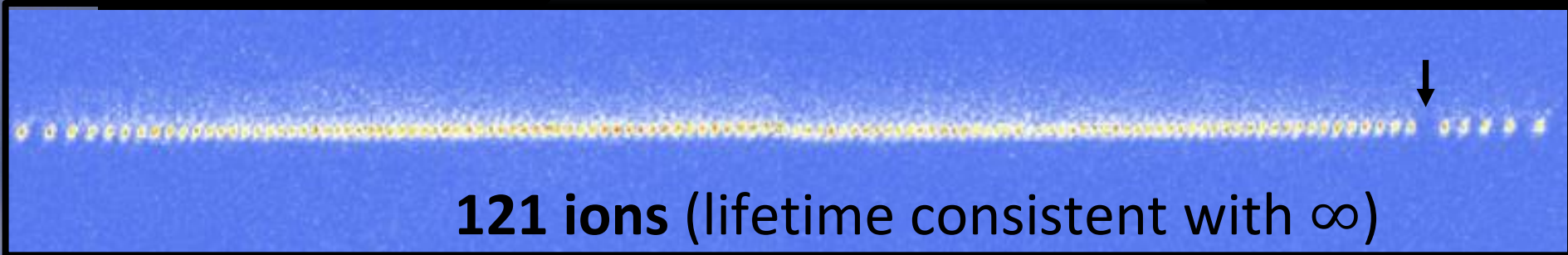
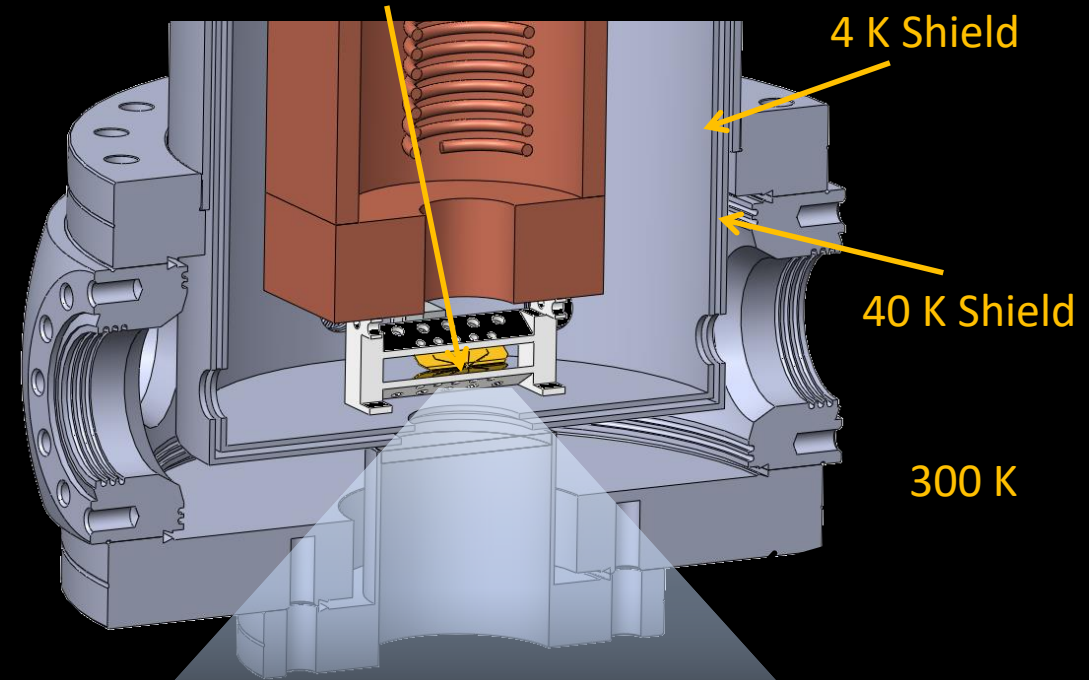


M. Heyl, et al., Phys. Rev. Lett. **110**, 135704 (2013)
 P. Jurcevic, et al., Phys. Rev. Lett. **119**, 080501 (2017)
 J. Zhang, et al., Nature 551, 601 (2017)

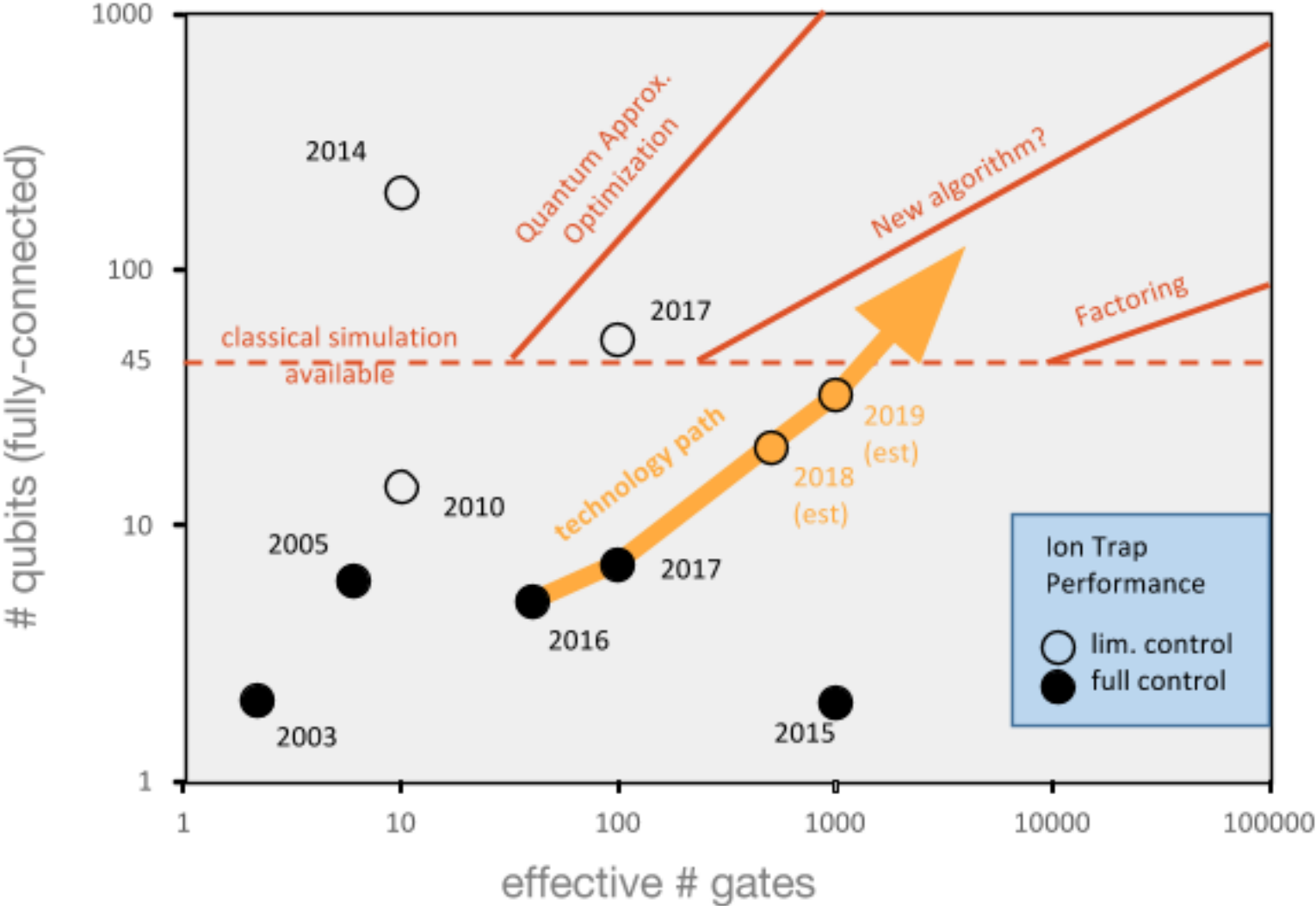
Scaling Up: 4K environment (better vacuum!)

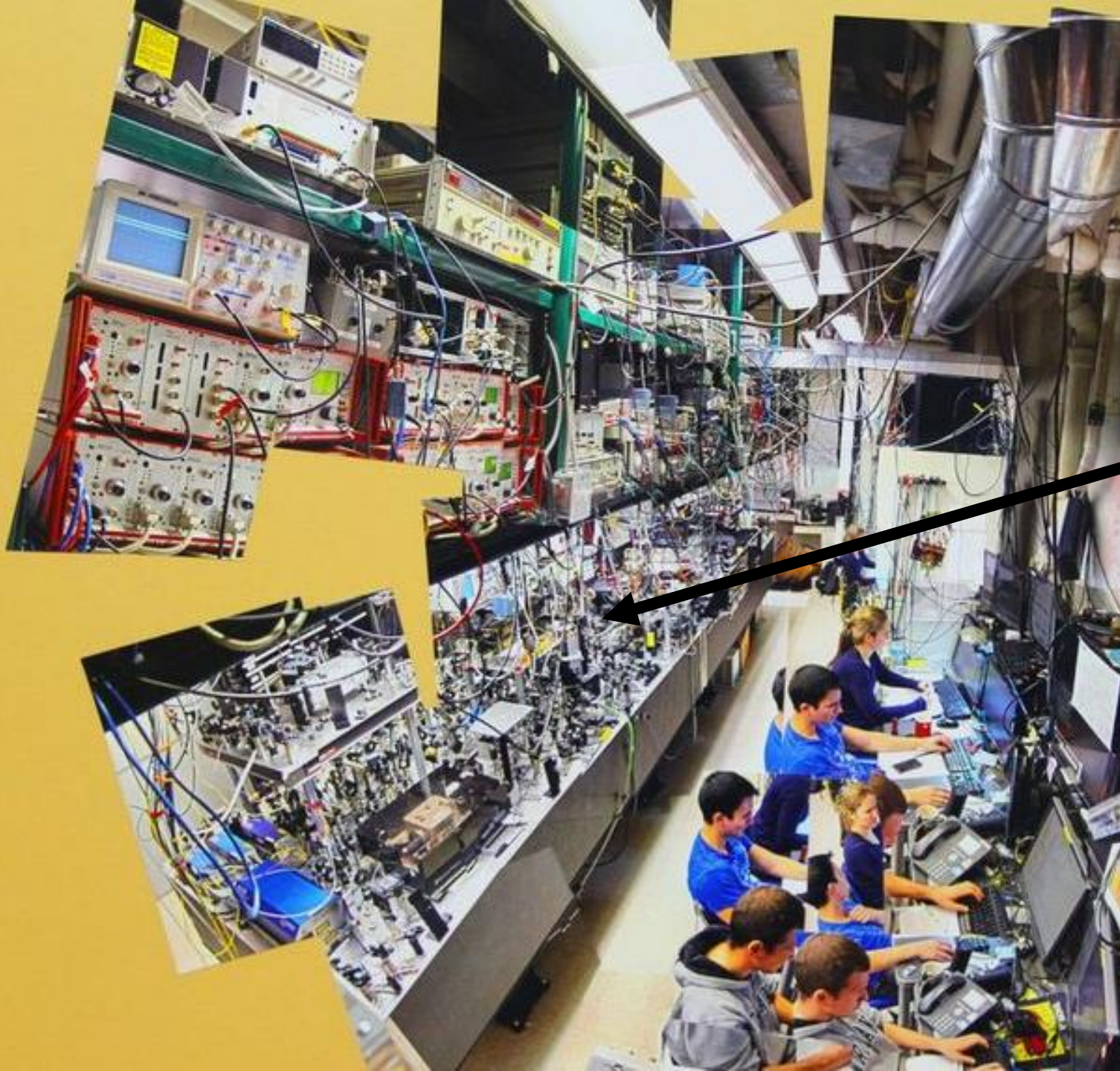


5-segment linear rf ion trap
(Au on Al_2O_3 blades, $200\mu\text{m}$)



Quantum Number vs. Gate Count

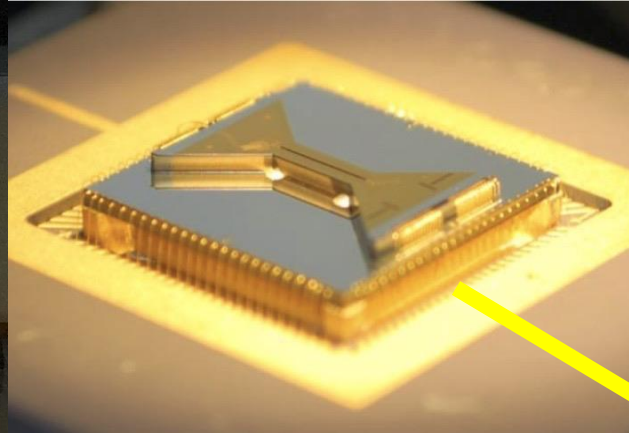
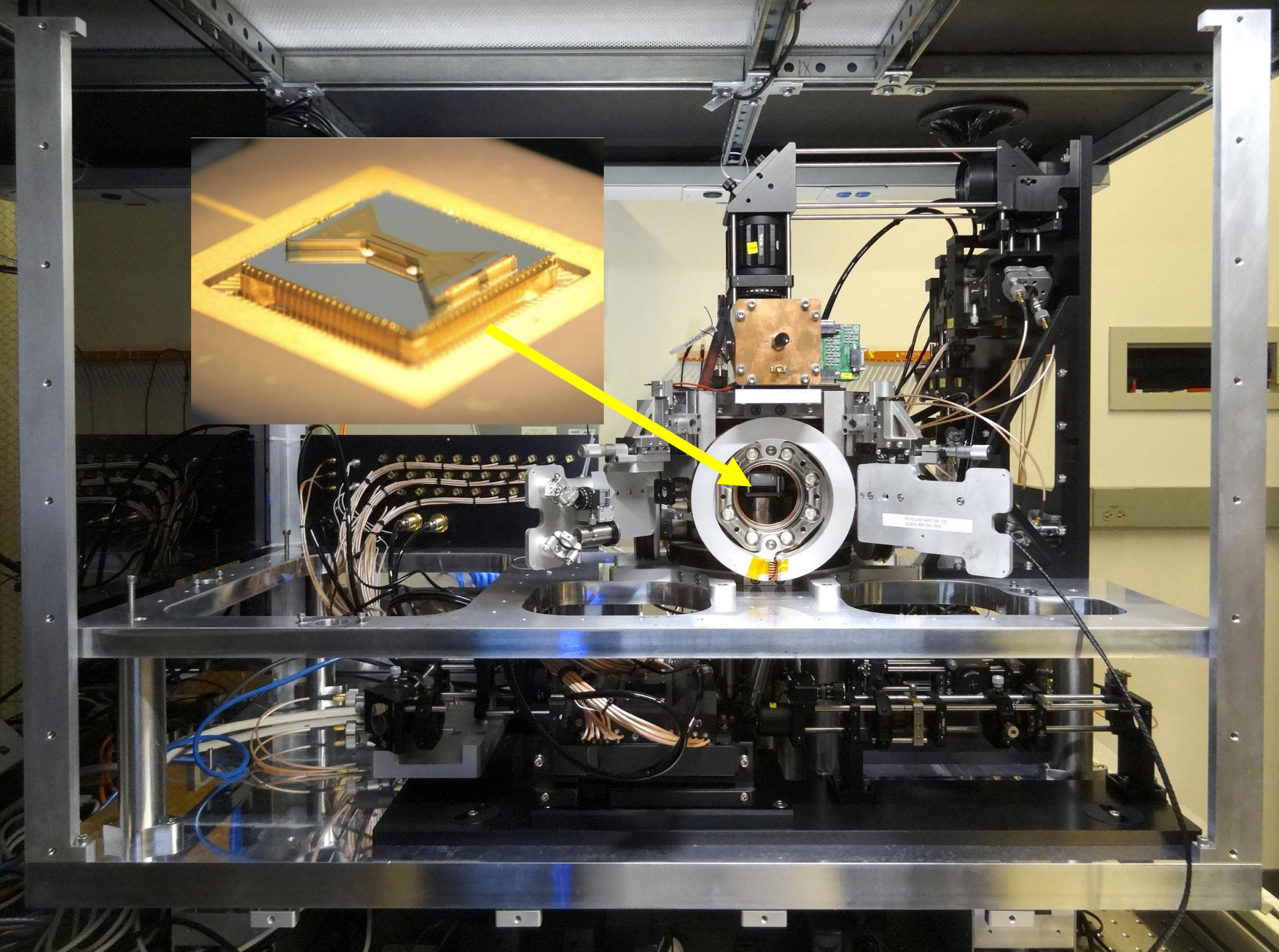


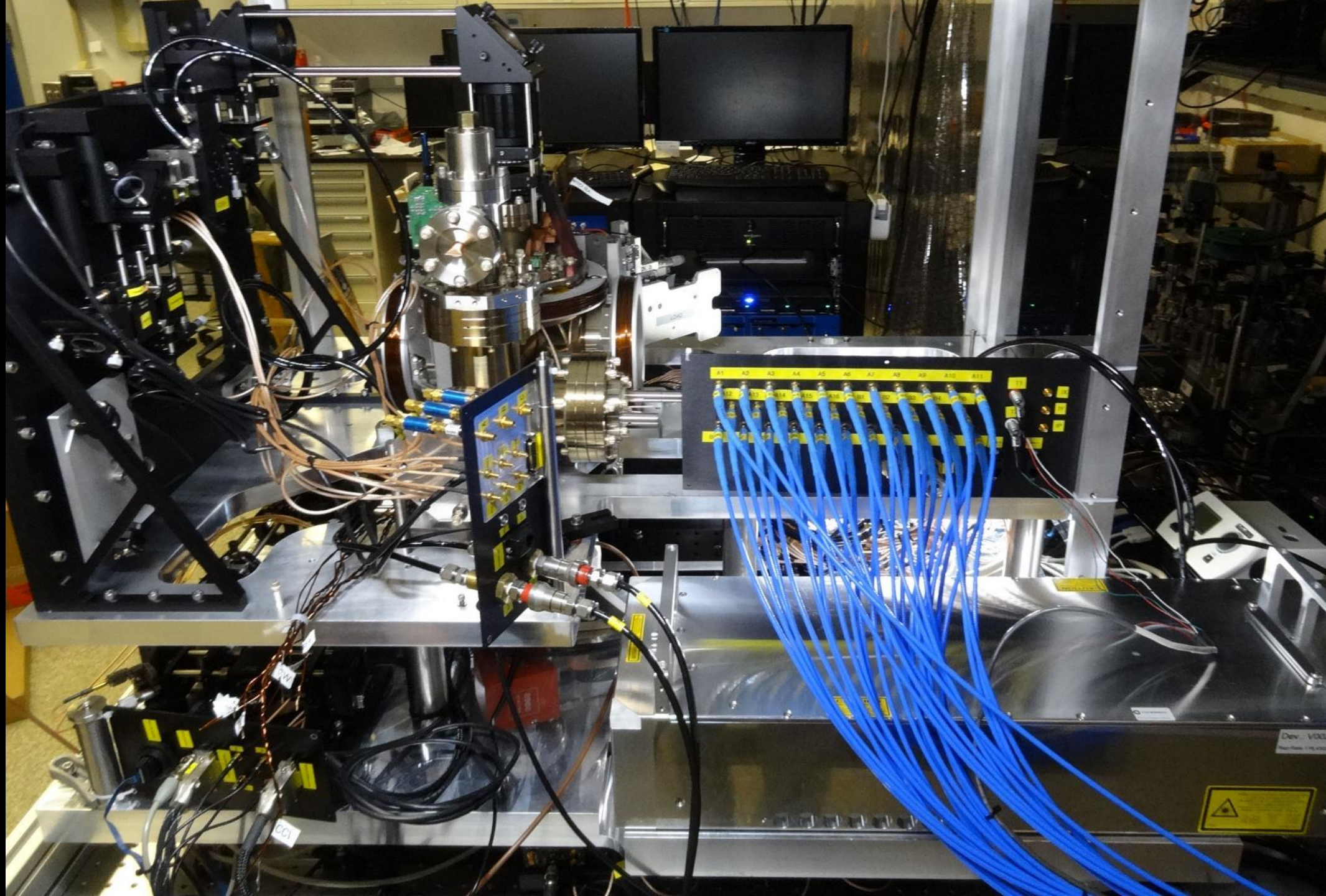


Ion Trap Lab at
JQI-Maryland



ENIAC (1946)







Sandia
National
Laboratories

AO Sense



ColdQuanta

HARRIS[®]



COHERENT[®]



IARPA

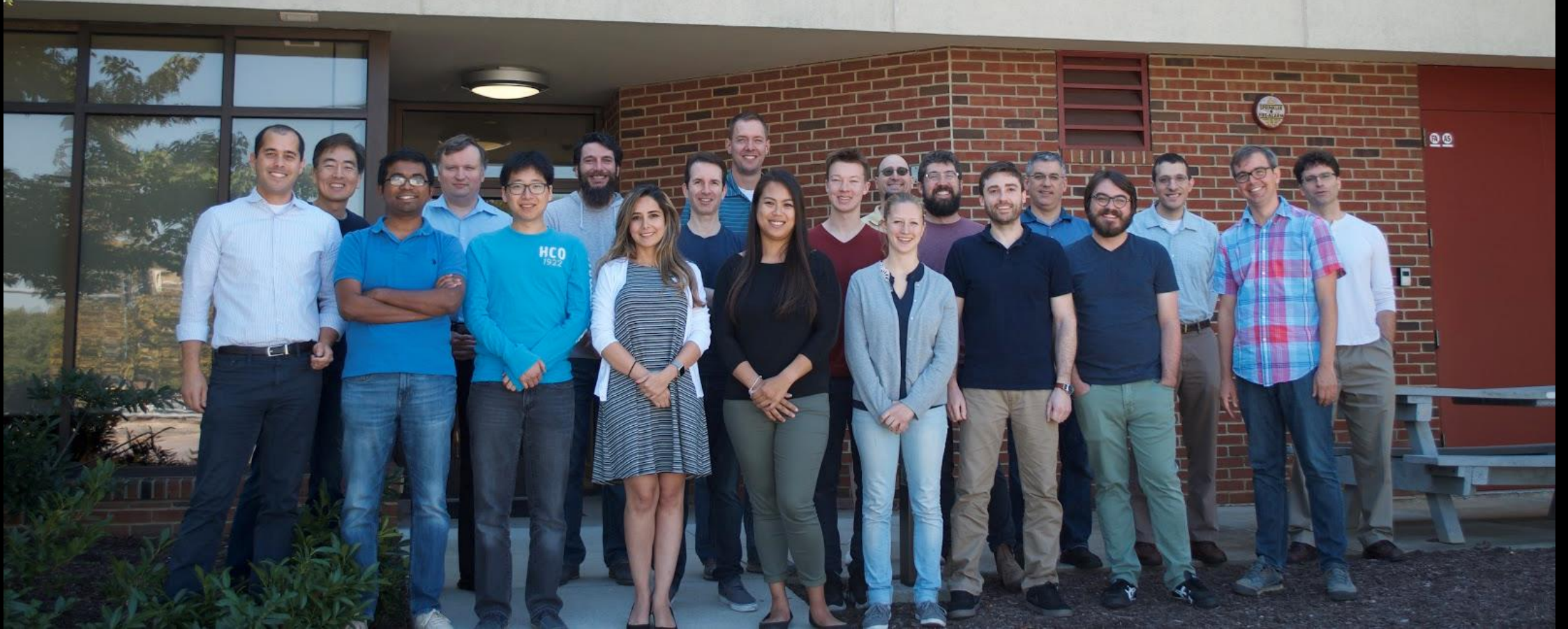
BE THE FUTURE



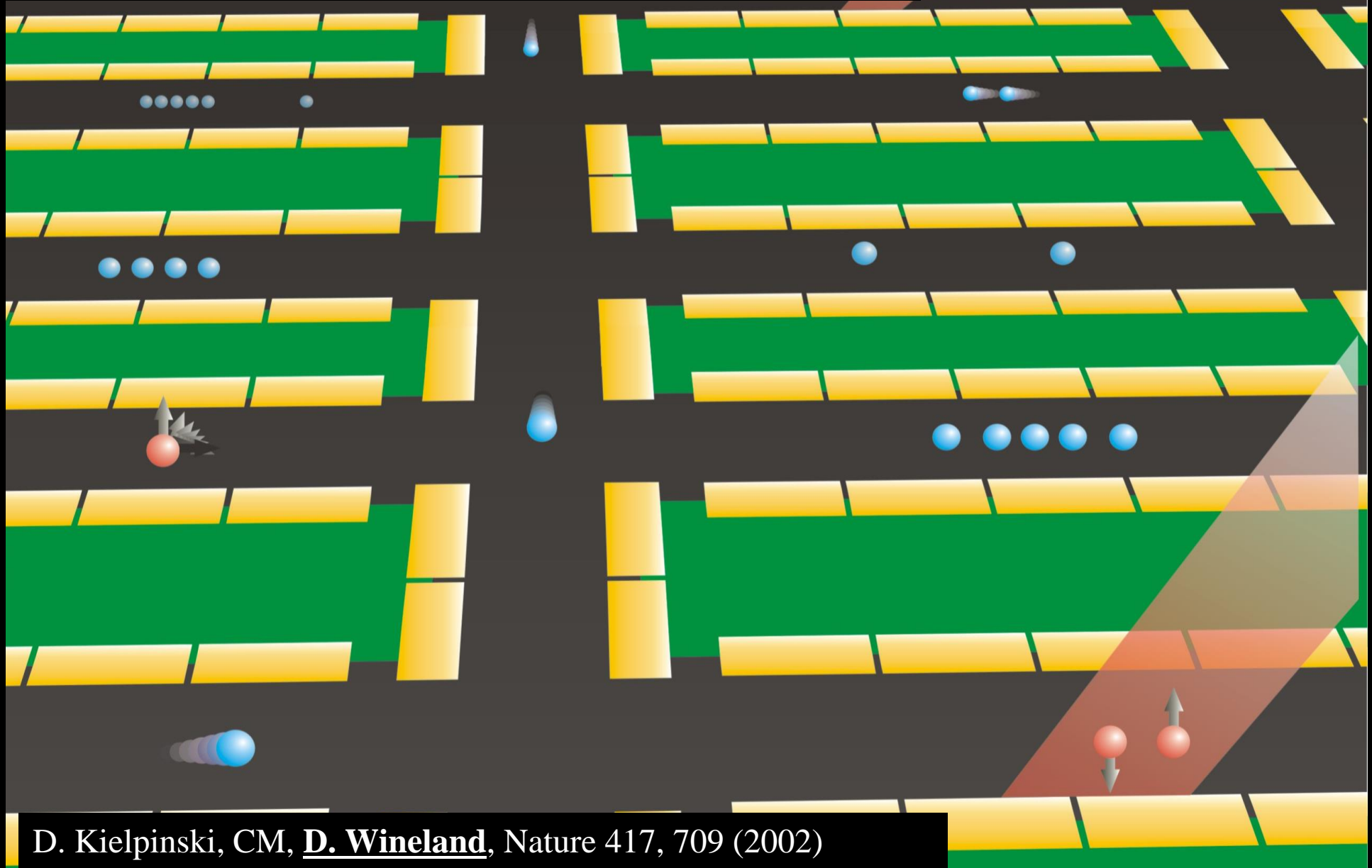
IONQ

www.ionq.co
College Park, MD

27 employees

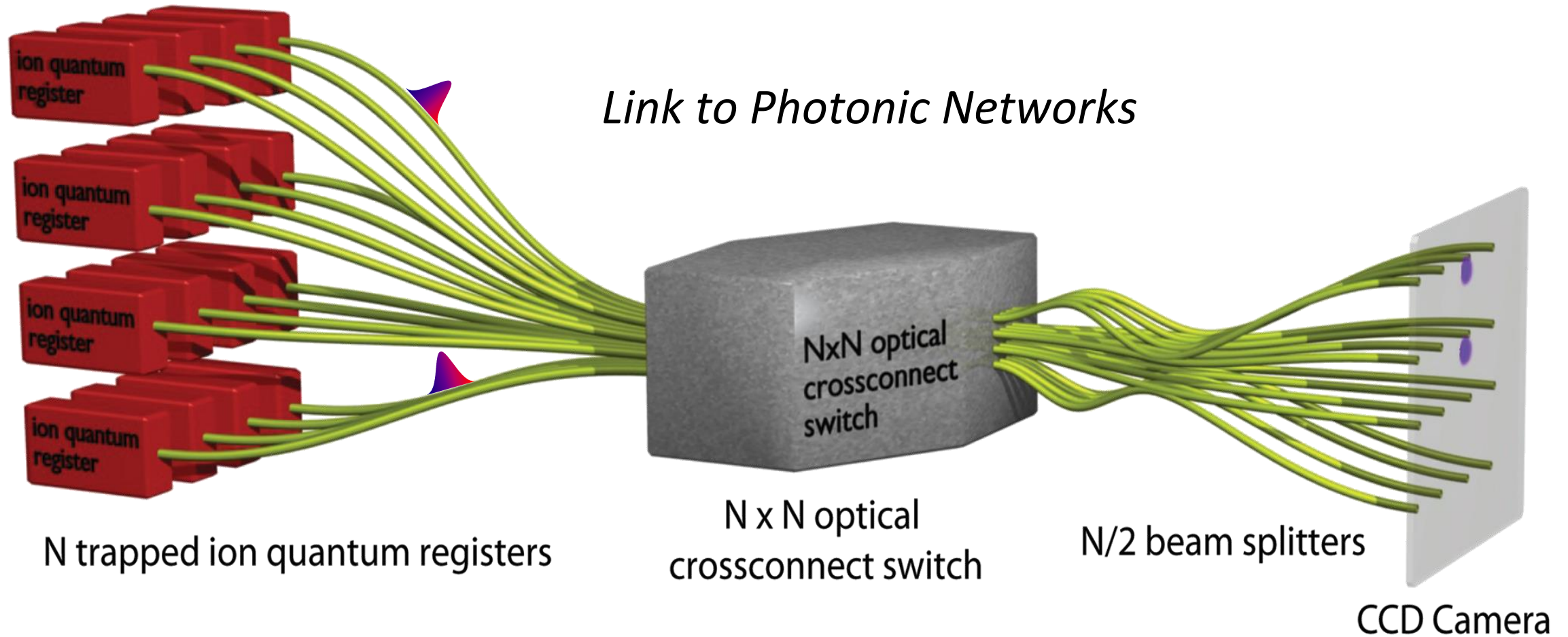


Scaling Atomic Ion Qubits I



D. Kielpinski, CM, D. Wineland, Nature 417, 709 (2002)

Scaling Atomic Ion Qubits II



Duan and Monroe, *Rev. Mod. Phys.* **82**, 1209 (2010)

Li and Benjamin, *New J. Phys.* **14**, 093008 (2012)

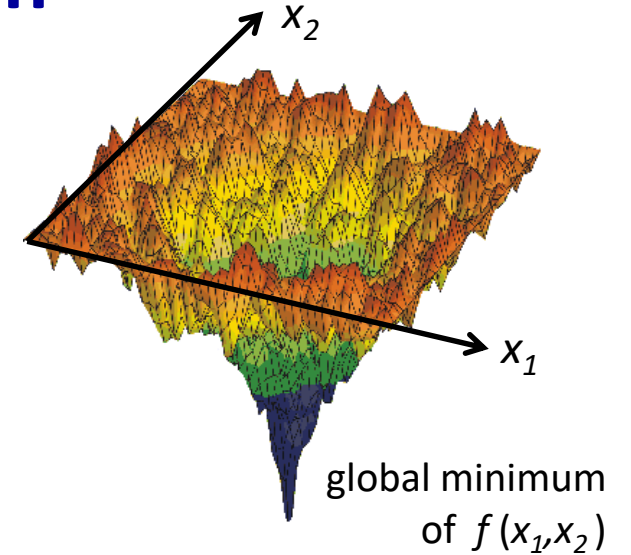
Monroe, et al., *Phys. Rev. A* **89**, 022317 (2014)

Broad Area of Application: Quantum Optimization

Minimizing complex functions by “simultaneously sampling” entire space through quantum superposition

Logistics
Operations Research
Decision Making

Pattern Recognition
Machine Learning
Material Simulations



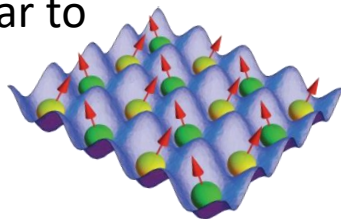
Examples

Quadratic Optimization

Minimize

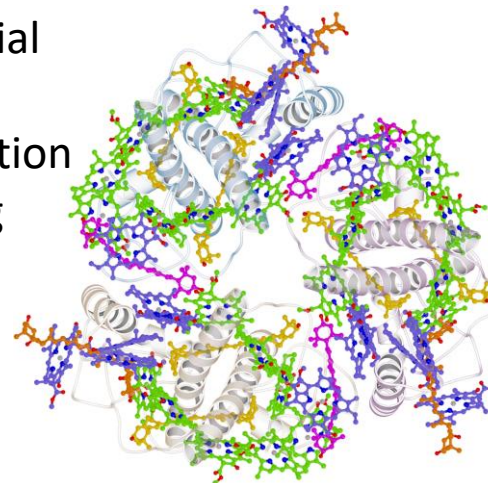
$$f(x_1, x_2, \dots) = \sum_{i < j} q_{ij} x_i x_j + \sum_i c_i x_i$$

this function is similar to the total energy of a magnetic network

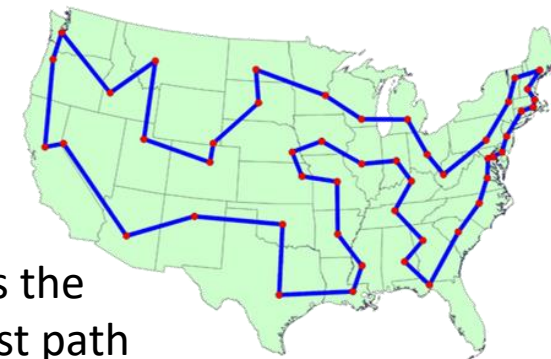


Quantum Chemistry

- complex material properties
- molecular function
- light harvesting processes



“Traveling Salesman” problem

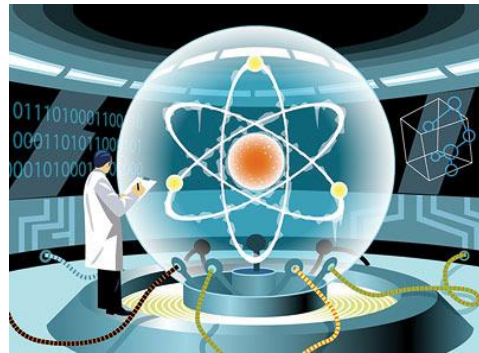


what is the shortest path through N cities?

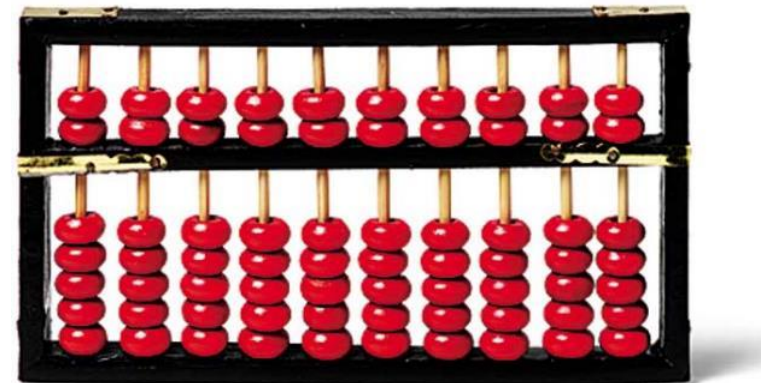
Bill Phillips
NIST/JQI



“A quantum computer differs more from a classical computer.....



...than a classical computer differs from an **ABACUS**”





Trapped Ion Quantum Information

www.iontrap.umd.edu



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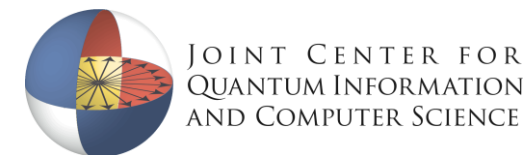
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